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HIRN'S AND REEVE'S  
ANALYSIS  
APPLIED TO THE  
HAMILTON  
CORLISS ENGINE

R. MARSHALL TRUITT.

Truitt '99.

Corliss Engine Efficiency.

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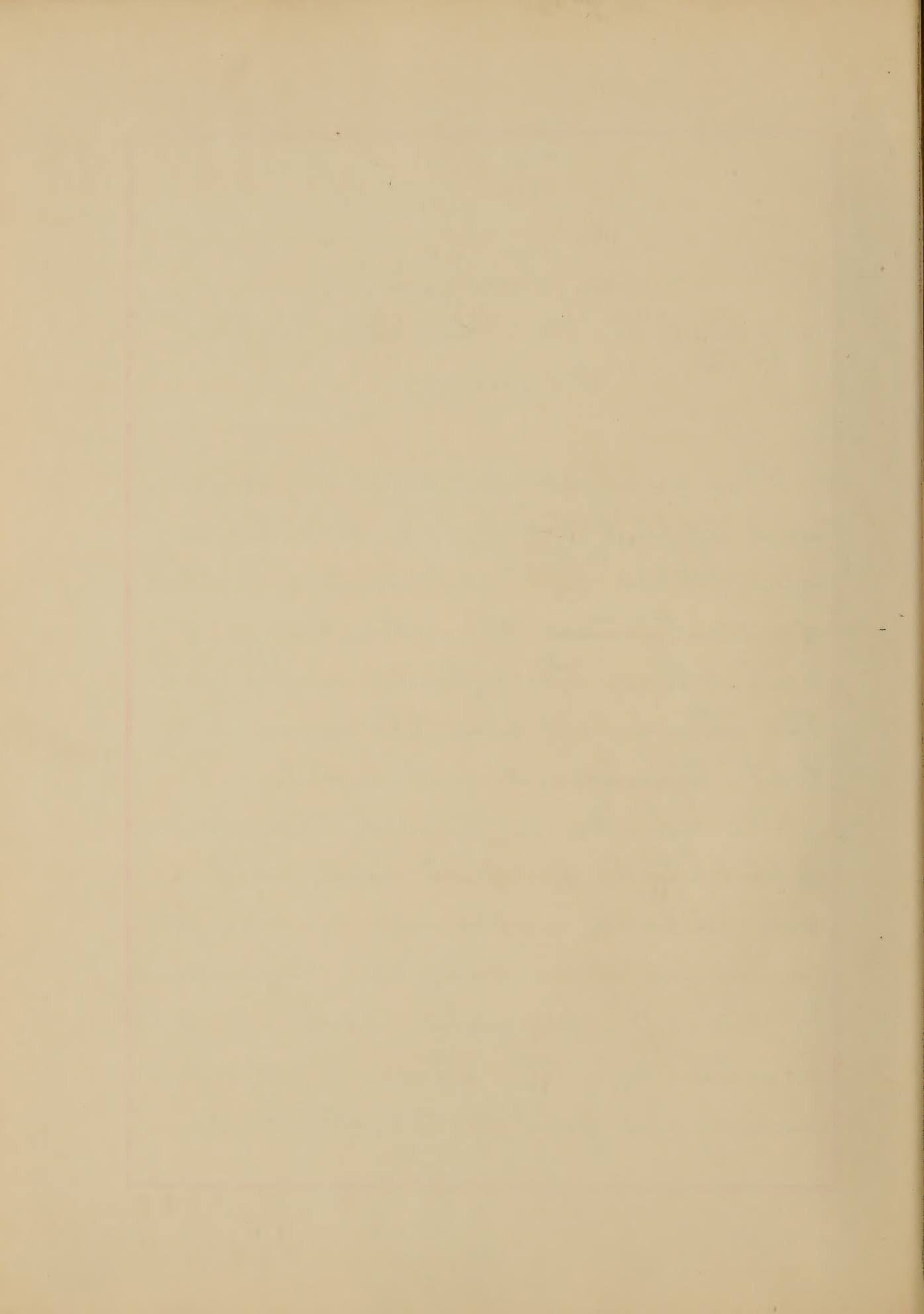


T. R. M.  
4 June '48. Ser: is

## Hirn's Analysis Applied to the Hamilton Corliss Engine.

This analysis developed by Hirn and applied by Prof. V. Drelshau-  
ners - Very, is a calorimetric method  
of investigating the interchange of  
heat between the cylinder walls, and  
the steam, and also, the amount of  
heat transferred into work.

The cylinder walls and their sus-  
ceptibility to conduct heat, exert a  
considerable influence in the per-  
formance of an engine. By means  
of the cylinder walls heat is ex-  
tracted from the steam, stored up  
during one part of the stroke or



radiated to the external air if the cylinder is not well jacketed, and finally the heat remaining in the walls returning to the steam at still another part of the stroke.

Although these heat changes are of a complex nature and it would seem natural that a moderate interval of time would be necessary for their completion yet experimentors have shown that this cycle is gone through in the cylinder of a rapidly rotating engine.

The principle of Him's analysis is as follows:- The number of heat units supplied to an engine is determined by measuring the pressure, quality and weight of steam at the beginning of the

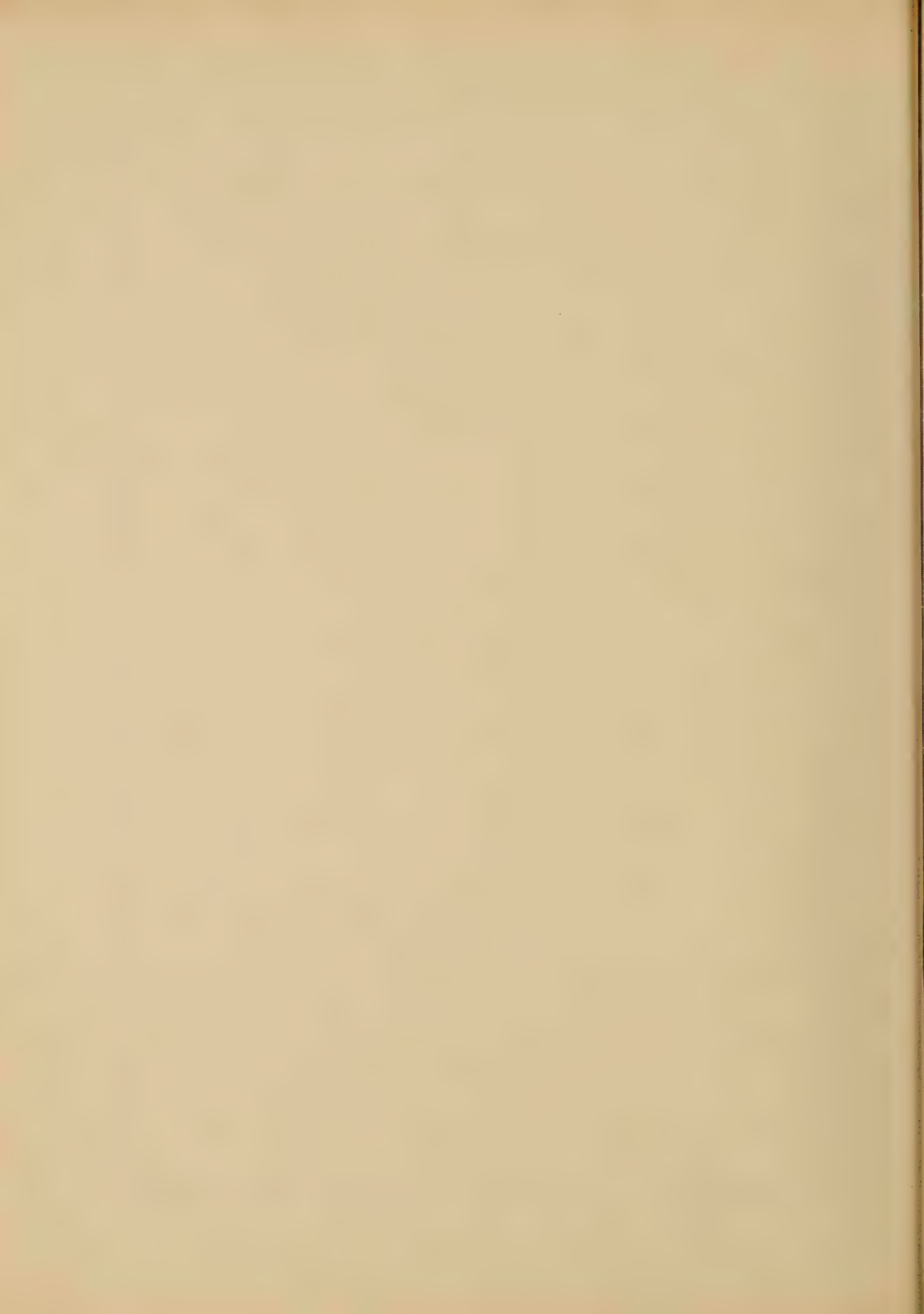




stroke, and at the end of the stroke the number of heat units remaining by measuring the heat in the condensed steam and the heat given to the condensing water. The amount of heat remaining in the cylinder after cut-off can be calculated from data obtained from the indicator card.

The heat supplied to the engine from the boiler plus that contained in the clearance spaces gives the total amount of heat available.

If now, from this total heat be taken the heat existing at cut-off and the equivalent heat of the work done during this period, the difference will be the loss during admission due principally to cylinder condensation.





The difference between the heat in the cylinder at cut-off and at release, after deducting <sup>the</sup> heat equivalent of work gives the heat transference during this period of expansion.

A calorimetric measurement of the quality of steam supplied during the test is made, and suppose that the result shows that  $x\%$  is steam out of the mixture supplied. If  $M$  be the weight of mixture supplied per stroke then the heat is:-

$$Q = M[g + xr] \quad (1)$$

where  $g$  = heat of the liquid  
and  $r$  = heat of vaporization.

In the following equations the subscripts  $c, o, 1, 2, 3$ , refer to clearance (c), beginning of ad-



mission (0), cut-off (1), release (2),  
beginning of compression (3).

The equations below show the  
heat distribution during one cycle  
in the clearance

$$H_c = M_0 [g_c + x_c \rho_c] \quad (2)$$

where  $\rho$  = heat equivalent of internal  
work.

At admission the weight of the  
mixture being still the same

$$H_0 = M_0 [g_0 + x_0 \rho_0] \quad (3)$$

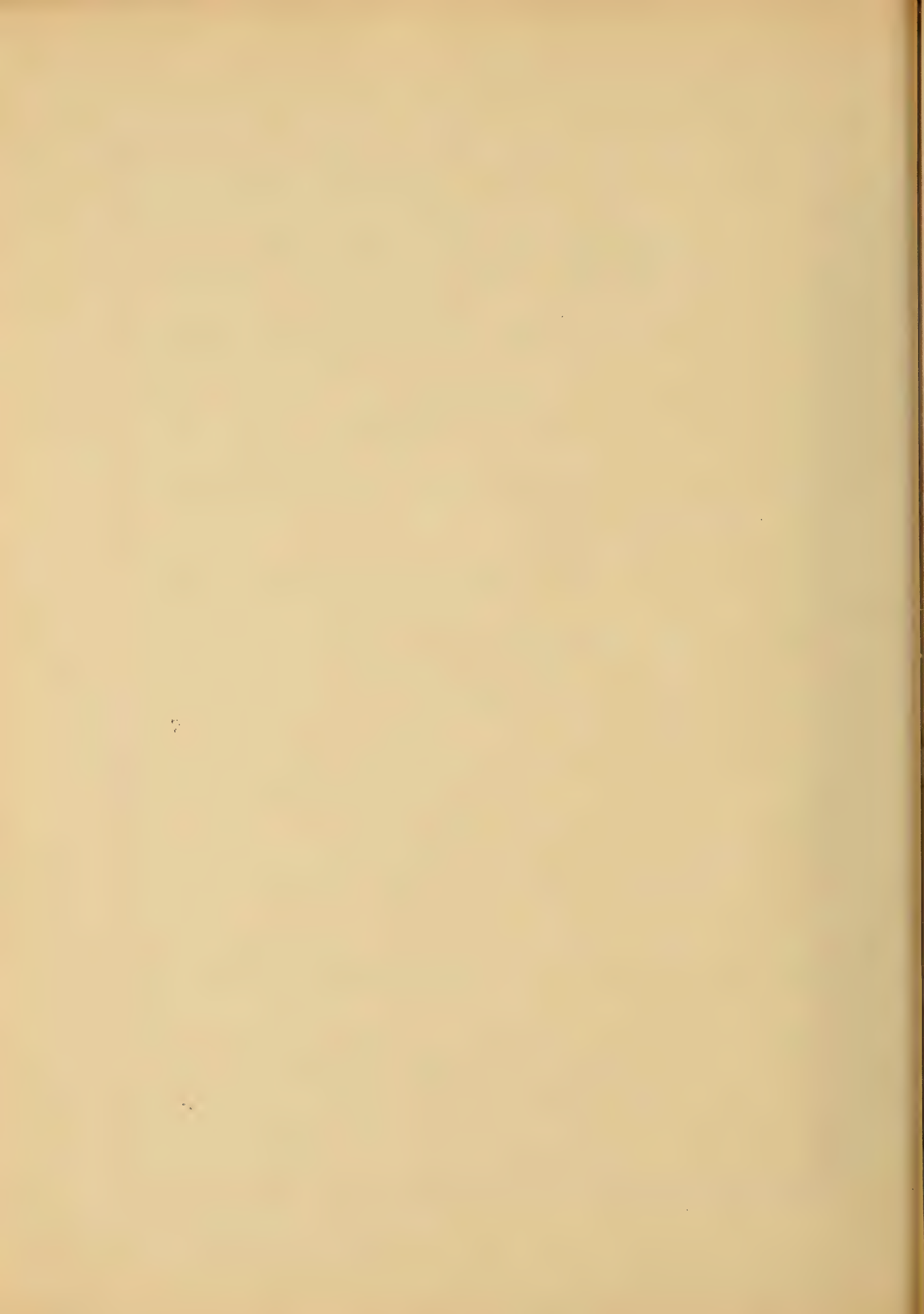
At cut-off  $M$  lbs. of mixture have  
been admitted therefore

$$H_1 = [M_0 + M] [g_1 + x_1 \rho_1] \quad (4)$$

At release the mass is still the  
same

$$H_2 = [M_0 + M] [g_2 + x_2 \rho_2] \quad (5)$$





after exhaust has taken place and at the beginning of compression: -

$$H_3 = M_0 [g_3 + k_3 p_3] \quad (6)$$

As one heat unit equals 778 ft lbs of work, the heat equivalent of external work during the cycle can be expressed as follows, where  $A = \frac{1}{778}$

$$\text{During admission} = A W_a \quad (7)$$

$$\text{" expansion} = A W_b \quad (8)$$

$$\text{" exhaust} = A W_c \quad (9)$$

$$\text{" compression} = A W_d \quad (10)$$

The preceding equations of  $H$  contain values of  $d$  which are as yet unknown and before the heat distribution can be found it will be necessary to get other equations





containing  $x$  and between them solve for it.

Let  $V$  = volume in cubic feet of given weight of mixture  $M$   
 $\sigma$  = volume of one pound of water in cubic feet.

$u$  = change in volume of 1 lb. of water due to conversion into steam.

Then volume of 1 lb of dry steam

$$s = u + \sigma$$

$$\text{and } V = M[du + \sigma] \quad (1)$$

When the clearance volume of an engine is known, the volume and pressure at any point in the cycle after the steam valve is closed can be found from the engine card.

The quantity of steam used during the run and the number of strokes being known, then the average



quantity per stroke can be determined. Having this, the quality can be determined for any point of the cycle except that of clearance.

Let

$V_0$  = clearance vol. or vol. at admission

$V_0 + V_1$  = volume at cut off (12)

$V_0 + V_2$  = " " release (13)

$V_0 + V_3$  = " " compression (14)

Now as  $M_0$  = wt. of clearance steam  
and  $M_1$  = wt. of steam used per  
stroke, then :-

$$V_0 = M_0 [x_c u_c + \sigma_c] \quad (15)$$

$$V_0 + V_1 = [M_0 + M_1] [x_1 u_1 + \sigma_1] \quad (16)$$

$$V_0 + V_2 = [M_0 + M] [x_2 u_2 + \sigma_2] \quad (17)$$

$$V_0 + V_3 = M_0 [x_3 u_3 + \sigma_3] \quad (18)$$

He will now have to assume the





value of some of the terms of the above, for each equation contains an unknown and it would be almost impossible to determine them by experiment.

The unknowns in the above are  $M_0$ ,  $x_c$ ,  $x_1$ ,  $x_2$ ,  $x_3$  and it must be found out which would be the most proper to assume.

During the cycle of a steam engine, we know that  $x$  increases slightly during expansion due to reevaporation of the initial condensation, then with the  $x$  at release higher than at cut off this steam has work done on it during exhaust and compression so that it is quite safe to use  $x = 1$  at compression.

Therefore assuming  $x_0$  and  $x_3$  to be equal to unity, then from (18)



$$M_0 = \frac{V_0 + V_3}{u_3 + \sigma_3} \quad (19)$$

$x_1$  and  $x_2$  can now be found from (16) and (17)

$$x_1 = \frac{V_0 + V_1}{(M_0 + M)u_1} - \frac{\sigma_1}{u_1} \quad (20)$$

$$x_2 = \frac{V_0 + V_2}{(M_0 + M)u_2} - \frac{\sigma}{u_2} \quad (21)$$

Having now equations by which the various unknowns can be solved, the transference of heat can be written as follows :-

Transferred during admission

$$Q_a = Q + H_0 - H_1 - A W_a \quad (22)$$

During the period of expansion

$$Q_e = H_1 - H_2 - A W_e \quad (23)$$

During the exhaust into the con.





densor

$$Q_c = H_2 - H_3 - M g_c - w[g_e - g_i] - A W_c \quad (24)$$

In the above  $w$  = wt. of condensing water  
 $g_c$  = heat of liquid of condensed steam  
 $g_e$  = " " " " condensing water leaving  
 $g_i$  = " " " " " entering  
 during compression

$$Q_d = H_3 - H_0 - A W_d \quad (25)$$

In the above equations if the algebraic sum equals zero there is no heat transferred; if the algebraic sum was a positive quantity, this gives the loss by radiation, and the sum of the losses during the different periods of the stroke gives the loss by radiation per cycle.

$$\text{or } D = Q_a + Q_b + Q_c + Q_d \quad (26)$$



If from the total heat supplied per cycle be taken the heat exhausted and the heat equivalent of work, the result should be the same loss or

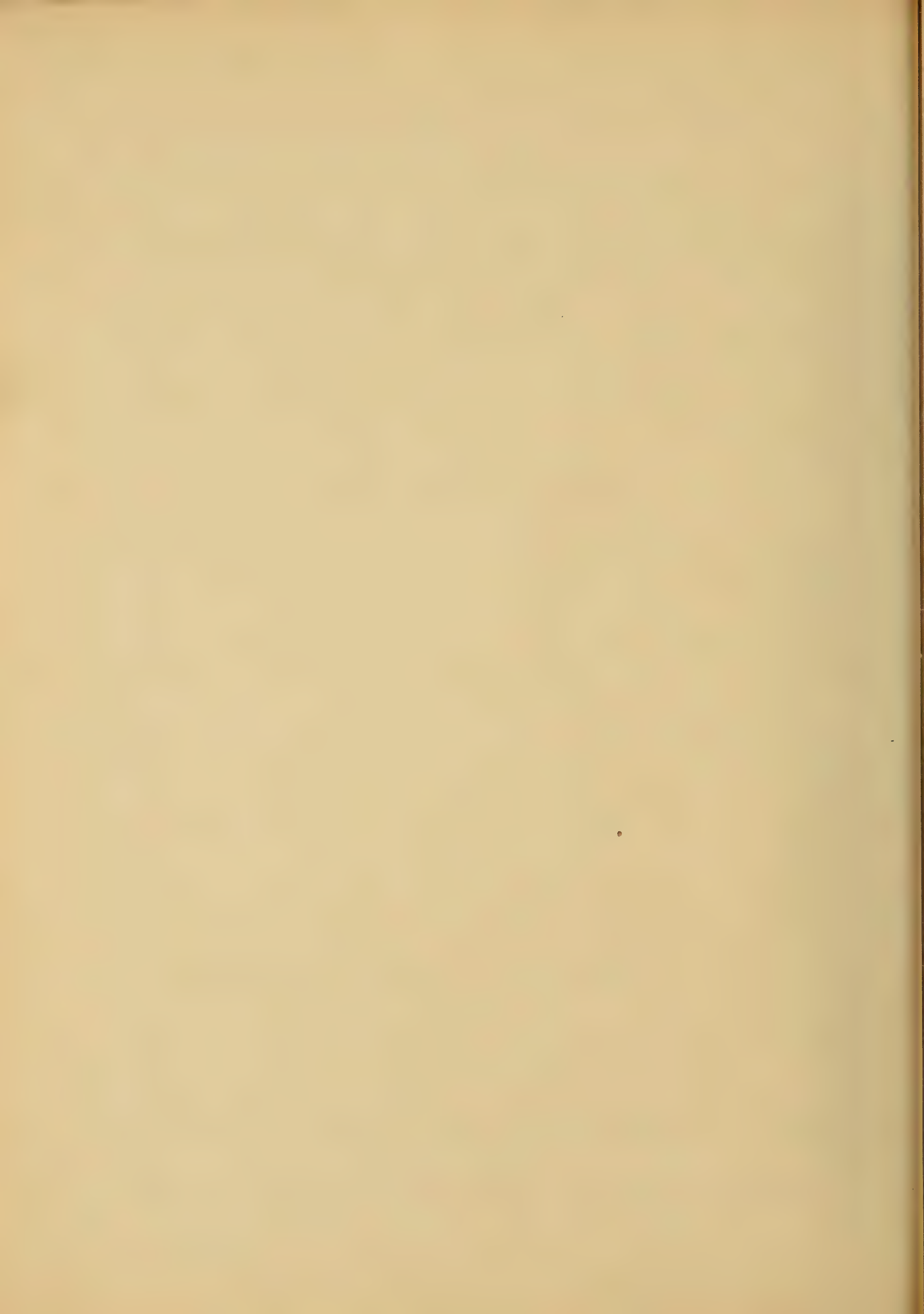
$$D = Q - M g_c - w(g_c - g_i) - A W \quad (27)$$

During the test the load was maintained quite heavy and the quantity of steam <sup>was</sup> so large that although the it was condensed the air pump could not hold the vacuum.

The load was taken off by a Prony brake and was kept as constant as possible.

The supply steam was tested by a Barrus calorimeter and its quality determined, while the quantity was weighed in a tank after being pumped from the condensor by the



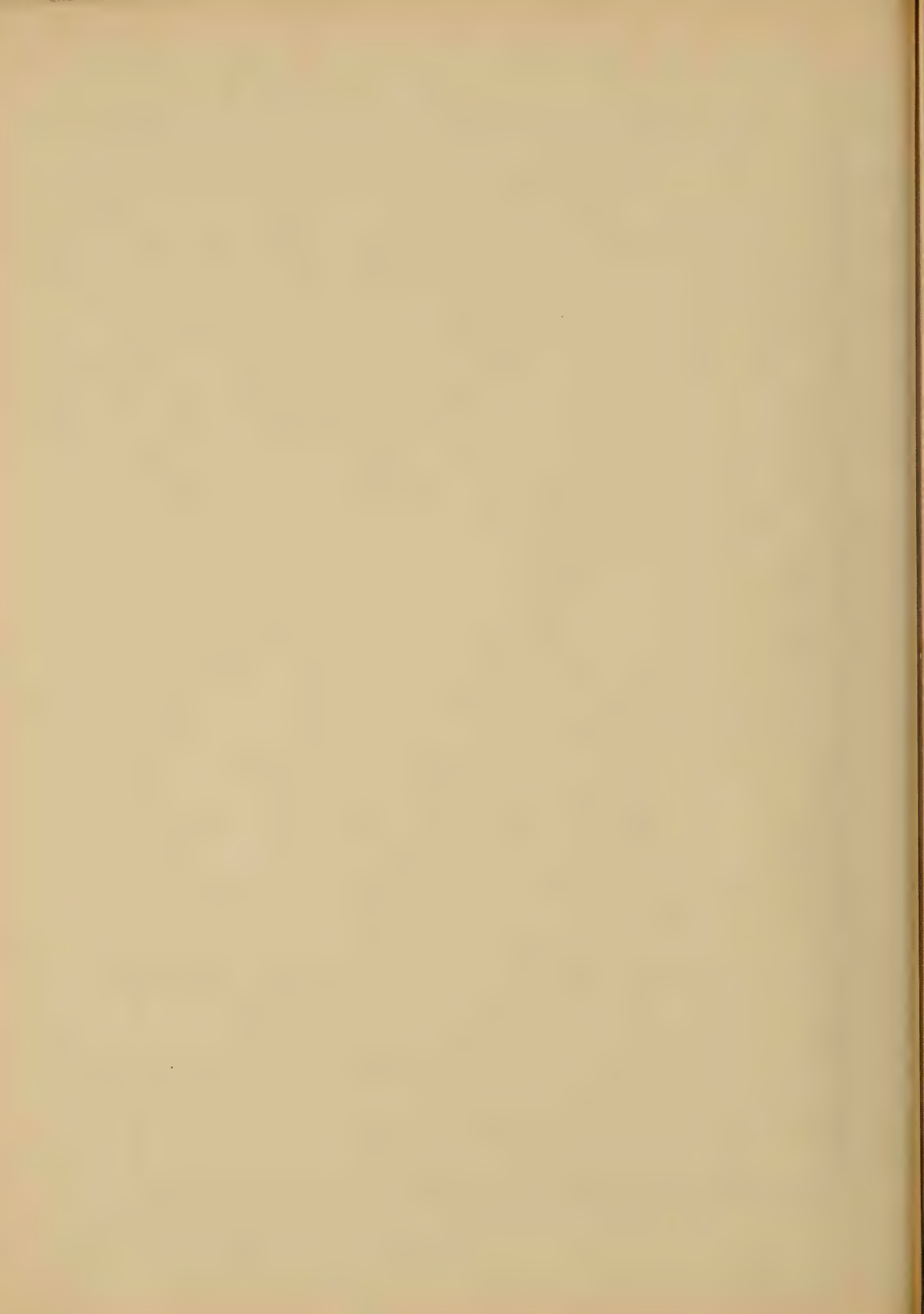


air pump.

The heat exhausted from the ~~con-~~ engine was determined by condensing the steam in a surface condensor, and noting the temperatures of the condensed steam and of the condensing water before and after passing through the condensor. The amount of condensing water must also be determined, and this is measured over the water.

Determination of moisture in steam

If in the mixture of steam & water in the upper part of the heat gauge of the Barrus calorimeter  $x$  parts are steam, then  $(1-x)$  are moisture and the amount of heat in the mixture =  $g. + xC.$  at the pressure  $p$ . As this mixture is driven



out the pressure in back does on the mixture  $\lambda \cdot A p \cdot u + A p \cdot \sigma$  heat units of work, so that the energy in the steam above the plate

$$= g_1 + \lambda r_1 + \lambda \cdot A p \cdot u + A p \cdot \sigma$$

The last term being small the above may be written

$$g_1 + \lambda r_1$$

The heat in the steam on the other side of the plate is

$$g_2 + r_2 + .48 [T_{\text{sup}} - T_{\text{sat}}]$$

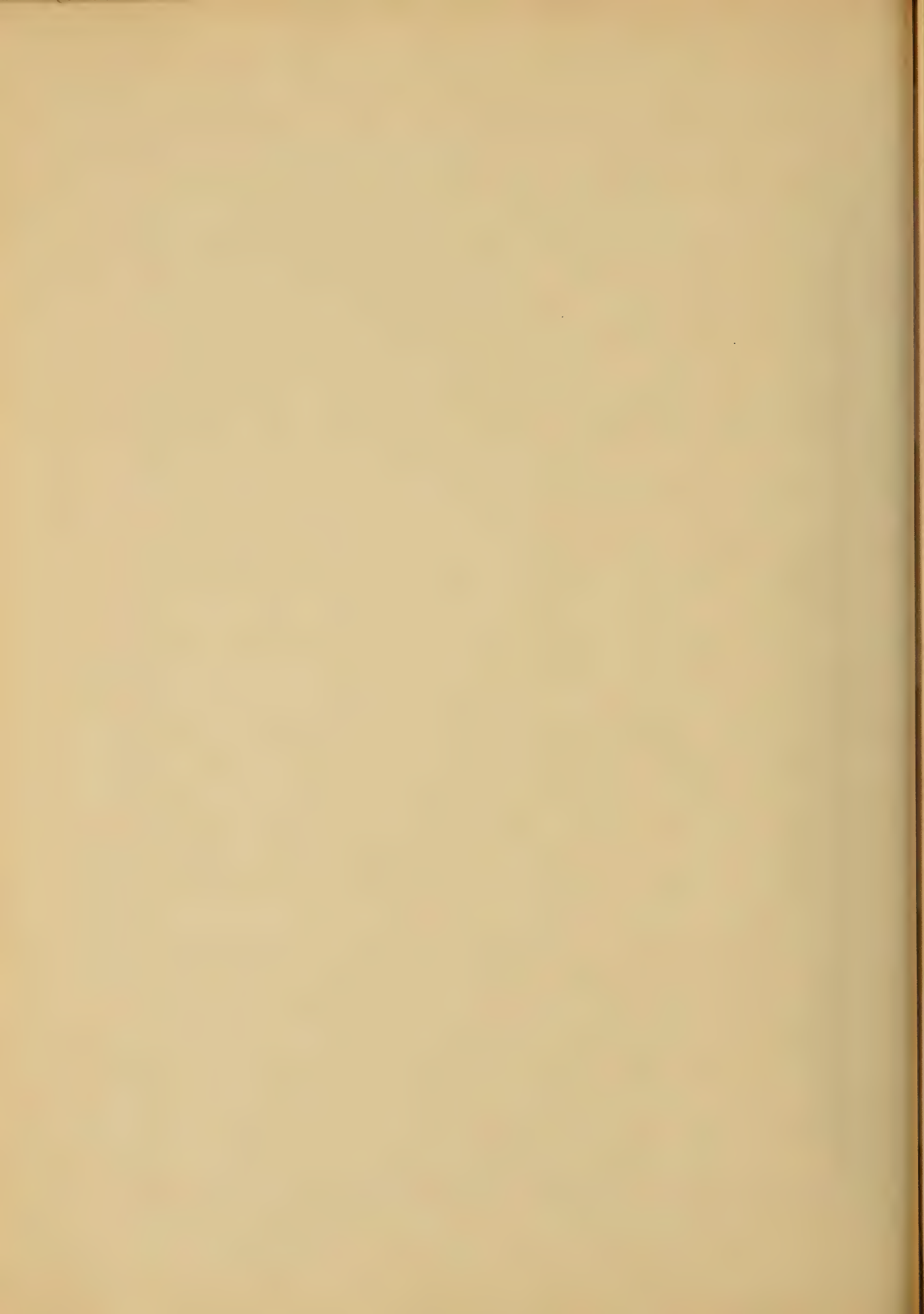
Since the plate is insulated from the upper and lower heat gauges, no heat can be transferred so the heat in the two places must be equal

$$g_1 + \lambda r_1 = g_2 + r_2 + .48 [T_{\text{sup}} - T_{\text{sat}}]$$

solving for  $\lambda$

$$\lambda = \frac{g_2 + r_2 + .48 [T_{\text{sup}} - T_{\text{sat}}] - g_1}{r_1}$$





It is thus known from  $x$  the quantity of steam per pound of mixture passing through the heat gauge, and if this mixture is passed through a condensor and  $w$  lbs. are condensed, the amount of water in the steam =  $w(1-x)$

But the separator during this time has collected  $w$  lbs. of moisture, so that the total weight of moisture in the steam is

$$w + w(1-x)$$

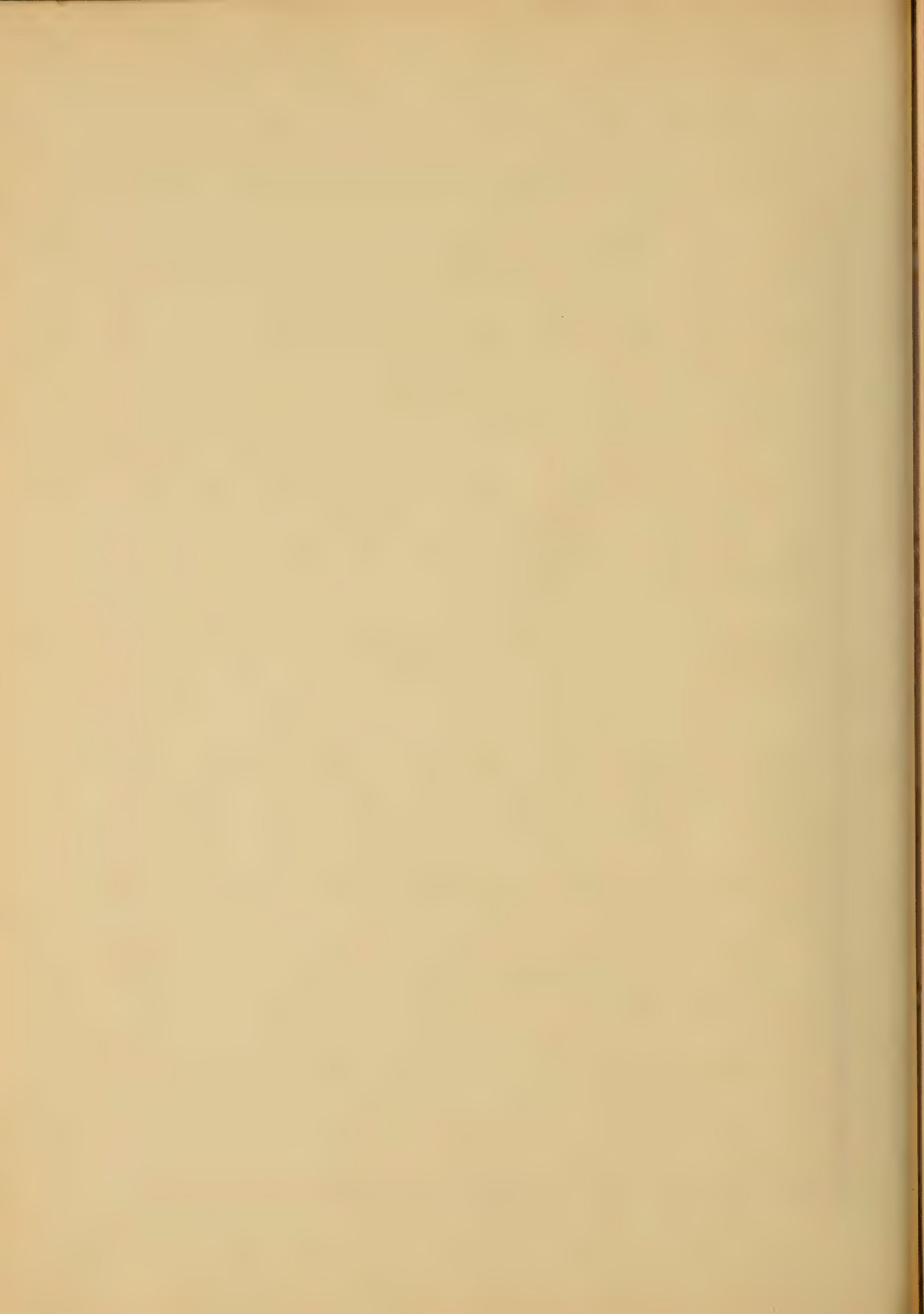
The total weight supplied to the instrument =  $w + w$

$$\therefore \% \text{ Moisture} = \frac{w + w(1-x)}{w + w} 100$$

$$\text{Mean gauge pressure} = 94.1$$

$$\text{" " " corrected} = 94.0$$

$$\text{Barometer} = 29.97"$$



$$\text{atmospheric pressure} = 29.97 \times \frac{.434 \times 13.59}{12}$$

$$= 14.77 \text{ lbs.}$$

$$\begin{aligned} \text{Absolute pressure} &= 94.0 + 14.77 \\ &= 108.77 \text{ lbs.} \end{aligned}$$

$$\begin{aligned} \text{Mean temp. upper ther. } T_1 &= 329.9^\circ \text{ F} \\ \text{" " lower " } T_2 &= 286.1^\circ \end{aligned}$$

$$\begin{aligned} \text{Pressure under which steam is dis-} \\ \text{charged} &= 14.77 + [9.38 - 4.56] \cdot 492 \\ &= 14.77 * 2.37 = 17.14 \text{ lbs.} \end{aligned}$$

$$\begin{aligned} \text{Temp. corresponding to } 108.77 &= 333.71^\circ \\ \text{Loss by radiation} &= 333.71 - 329.9 \\ &= 3.81^\circ \end{aligned}$$

$$\begin{aligned} \text{Corrected } T_2 &= 286.1 + 3.81 \\ &= 289.91^\circ \end{aligned}$$





$$x_1 = \frac{1149.0 + .48 [289.91 - 219.86] - 304.37}{879.41}$$

$$= \frac{1149.0 + .48 \times 70.05 - 304.37}{879.41}$$

$$= \frac{878.25}{879.41} = 0.9987 \quad (29.)$$

Ht. of mixture discharged in 80 min.

= 87 lbs. 3 oz.

Ht. of water separated in 61 min = 9 oz

Ht. of mix. discharged in 61 min. = 1065 oz.

$$1 - x = \frac{w + W(1-x)}{w + W}$$

$$= \frac{9 + 1065 \times .0013}{1074}$$

$$= .00967$$

$$x = 1 - .00967 = 99.03\%$$



Steam consumption.

Ht. of steam condensed in 59 min. = 681 lbs

" " " " per hour

$$= \frac{681 \times 60}{59} = 692.5 \text{ lbs.}$$

Number of revolutions in 64 min. = 3769

" " " " per hour = 3534

The number of lbs. of steam used per 100 revolutions is

$$\frac{692.5 \times 100}{3534} = 19.595 \text{ lbs.}$$

This amount is for both ends of the cylinder and if the cut off and clearances were the same on both ends, half would go to one end and half to the other, but this is not so.

It can be assumed that the





sum of the per cent clearance plus  
the per cent cut off on one end,  
over the per cent clearance plus  
the per cent cut off on both ends  
will give the proportion of steam  
going to that end

Vol. passed through by the piston

$$\text{head end} = \frac{24 \times 3.14 \times (10\frac{5}{32})^2}{1728 \times 4}$$

$$= 1.118 \text{ cu'}$$

$$\text{crank end} = 1.118 - \frac{24 \times 3.1416}{1728}$$

$$= 1.118 - .0436$$

$$= 1.074 \text{ cu'}$$



## Per cent Clearance

$$\text{head end} = \frac{.0718}{1.118} = .0642$$

$$\text{crank end} = \frac{.0606}{1.074} = .05642$$

## Cut off per cents

$$\text{head} = 11.0 \%$$

$$\text{crank} = 13.5 \%$$

$$\text{Head} \quad 6.42 + 11 = 17.42$$

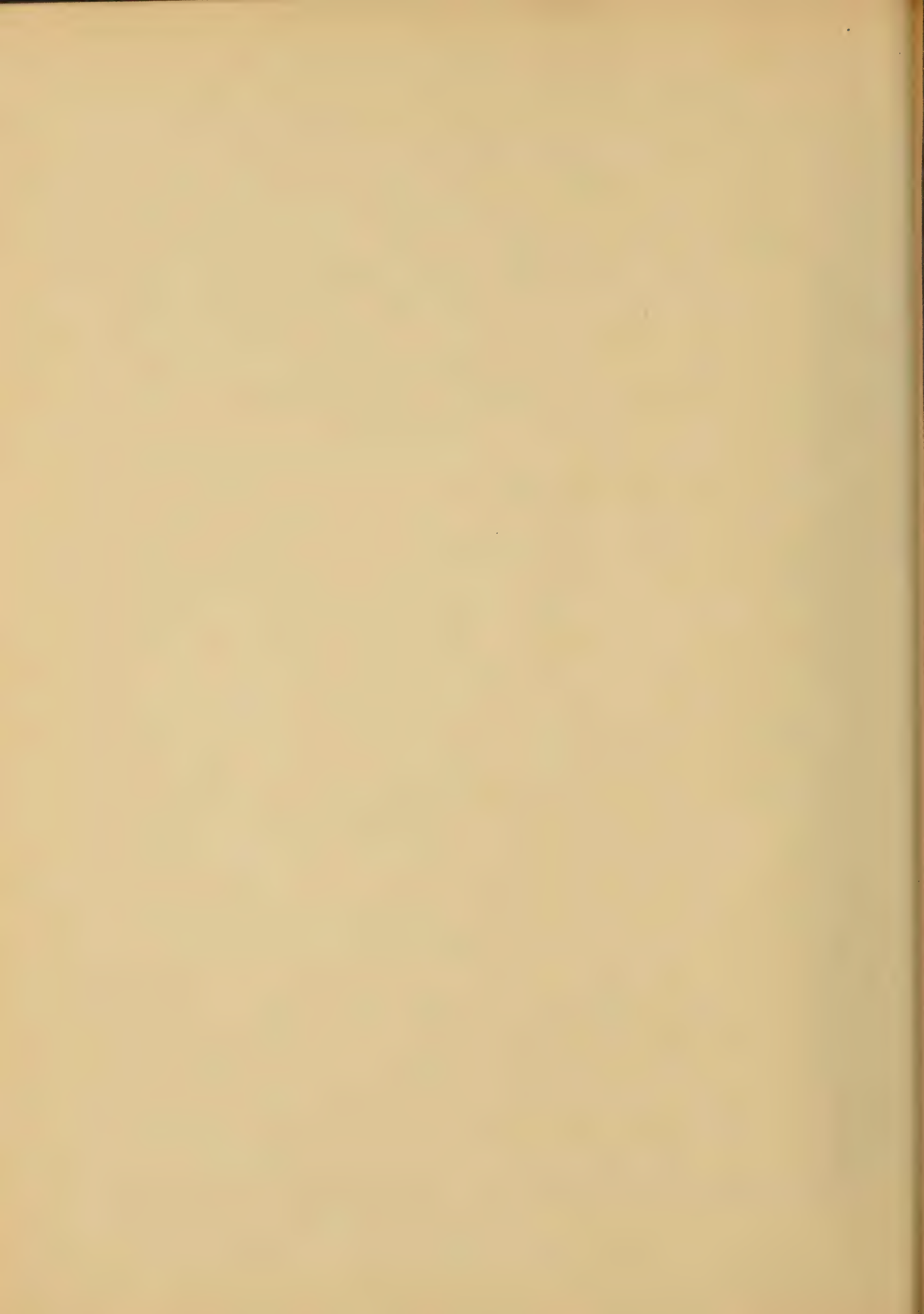
$$\text{Crank} \quad 5.64 + 13.5 = 19.14$$

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$$36.56$$

## Per cent steam going to head end

$$= \frac{17.42}{36.56} = 47.65 \%$$



Volumes of head end

$$V_0 = .0718 \text{ cu. ft.}$$

$$V_1 = 1.118 \times .11 = .1230 \text{ cu. ft.}$$

$$V_2 = 1.118 \text{ cu. ft.}$$

$$V_3 = 1.118 \frac{.04}{3.339} = .209 \text{ cu. ft.}$$

The volumes in the cylinder up to different parts of the stroke are as follows.

Clearance Volume  $V_0 = .0718 \text{ cu. ft.}$

Cut-off "  $(V_0 + V_1) = .1948 \text{ " "}$

Release "  $(V_0 + V_2) = 1.1898 \text{ " "}$

Compression "  $(V_0 + V_3) = .2808 \text{ " "}$

The number of lbs. of steam used during 100 revolutions = 19.595 and the amount of this going to the head stroke is

$$19.595 \times .4765 = 9.337 = M$$

In the following calculations





the quantity of steam is that used in the head end and for 100 revolutions.

From (19)

$$M_0 = \frac{V_0 + V_3}{u_3 + \sigma} = (V_0 + V_3) \chi_3$$

Although the air pump gave no vacuum it kept the back pressure down to that of the atmosphere.

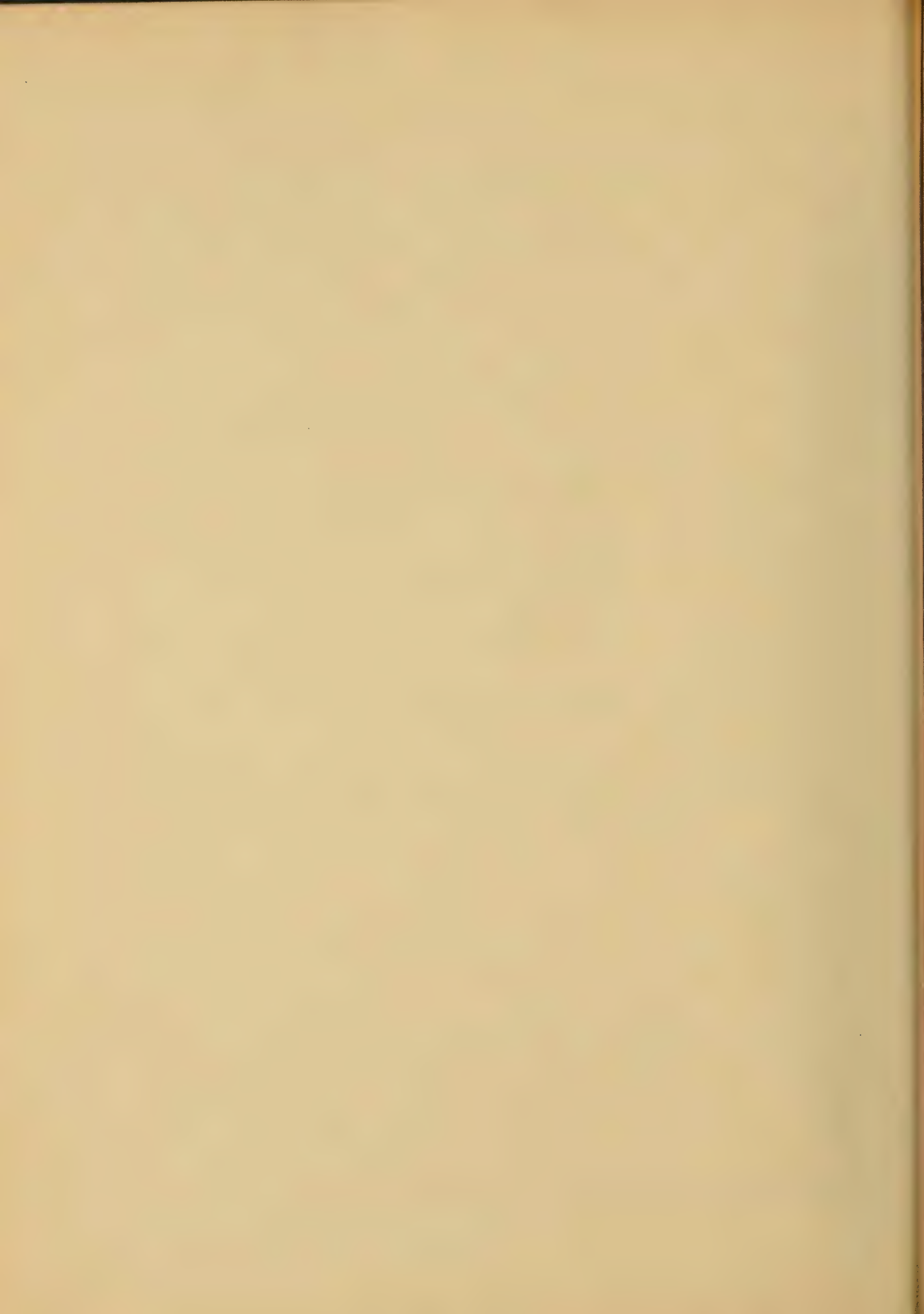
$$\lambda_{1477} = .03774 \quad \text{per stroke}$$

$$M_0 = .2808 \times .03774 = .0106 \text{ lbs}$$

Mean pressure at cut off corrected  
106.5 lbs.

$$L_1 = \frac{V_0 + V_3}{(M_0 + M) u_{106.5}} = \frac{\sigma}{u} \quad u = 5 - .016$$

$$= \frac{.1948 \times 100}{(.0106 + 9.337)(4.150 - .016)} = \frac{.016}{4.134}$$



$$= \frac{19.48}{9.3476 \times 4.134} - \frac{.016}{4.134}$$

$$= .505 - .00387$$

$$= .501$$

At release  $x$  is

$$x_2 = \frac{V_0 + V_2}{(M_0 + M_1)u_2} - \frac{0.16}{u}$$

$$= \frac{1.1898 \times 100}{9.3476 (16.76 - 0.16)} - \frac{0.16}{16.744}$$

$$= .761 - .000955$$

$$= .76$$

To find  $x_0$

$$(1 - x_0) \cdot 0.16 + x_0 \cdot S = \frac{V_0}{M_0}$$

$$x_0 = \frac{\frac{V_0}{M_0} - .016}{S - .016}$$





$$x_0 = \frac{\frac{0.718}{.0106} - .016}{4.1505 - .016} = \frac{6.754}{4.1345}$$

$$= 1.63$$

This apparently shows that the steam at this point is superheated and very much so, in fact more than it could be and the only way the result can be accounted for is that steam must leak in during compression.

If it is assumed that  $x_0$  and  $x_3$  are equal to 1 and solve for the masses at the respective points the difference will most probably give the weight which has leaked in.

$$M_0 = \frac{V_0}{(1-x_0) \cdot 0.016 + x_0 \cdot 5}$$



$$M_0 = \frac{.0718}{4.1585} = .0173 \text{ lbs. per stroke}$$

The previous value of  $M_0 = .0106$ ,  
therefore the weight per stroke which  
leaks in is

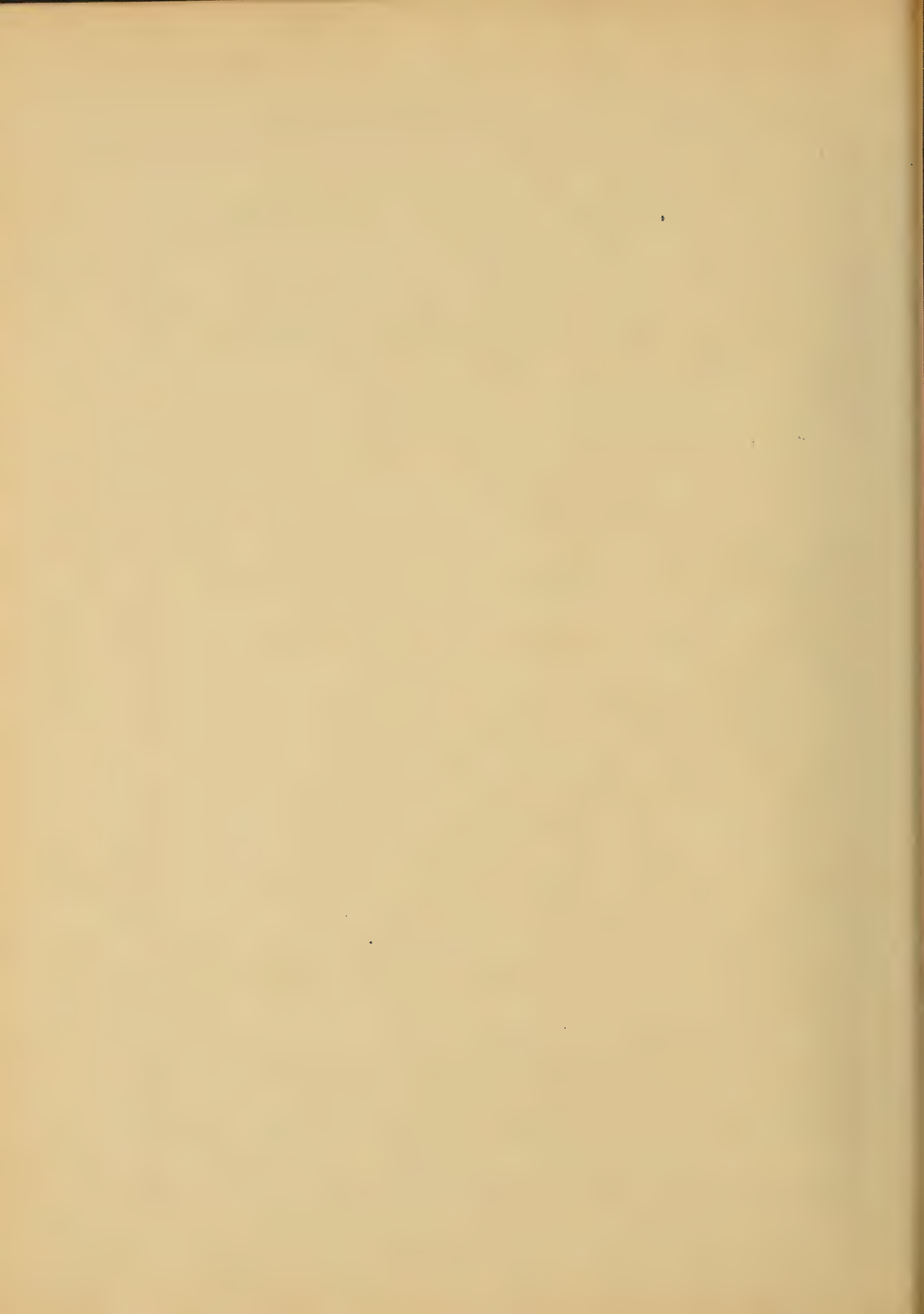
$$\begin{aligned} M_0' &= .0173 - .0106 \\ &= .0067 \text{ lbs.} \end{aligned}$$

The heat which leaks in with  
this is:—

$$\begin{aligned} &M_0' (g_{106.5} + x r_{106.5}) \\ &= .0067 (302.65 + .9903 \times 880.6) \\ &= .0067 \times 1174.71 \\ &= 7.871 \text{ H.U.} \end{aligned}$$

$$\begin{aligned} \text{Heat per 100 strokes} &= 100 \times 7.871 \\ &= 787.1 \text{ H.U.} \end{aligned}$$

In finding the heat equivalent  
of work from the areas of the cards



it is convenient to determine the constant of it.

$$K = \frac{\text{height} \times \text{length} \times \text{scale} \times \text{area per stroke}}{\text{mean length of card} \times 12''}$$

$$= \frac{a \times 40 \times 81.04 \times 24^2 \times 100}{3.339 \times 12}$$

$$= 194160 a$$

The mean areas of the mean card are  
Area of admission (o, i, d, e) = 1.005 sq"

Area of expansion (i, z, b, d) = 2.91 sq"

Area of exhaust (a, b, c, s) = 1.01 sq"

Area of compression (e, b, s, c) = .535 sq"

The work is as follows: -

$$W_a = 194160 \times 1.005$$





$$VV_a = 195137 \text{ ft. lbs.}$$

$$\begin{aligned} VV_b &= 194160 \times 2.91 \\ &= 566325 \text{ ft. lbs.} \end{aligned}$$

$$\begin{aligned} VV_c &= 194160 \times -19.1 \\ &= 196110 \text{ ft. lbs.} \end{aligned}$$

$$\begin{aligned} VV_d &= 194160 \times .535 \\ &= 103879 \text{ ft. lbs.} \end{aligned}$$

The heat equivalents of the above are

$$\begin{aligned} H V_a &= \frac{195137}{778} \\ &= 250.8 \text{ H.U.} \end{aligned}$$

$$\begin{aligned} H V_b &= \frac{566325}{778} \\ &= 727.9 \text{ H.U.} \end{aligned}$$

$$\begin{aligned} H V_c &= \frac{196110}{778} \\ &= 252.1 \text{ H.U.} \end{aligned}$$



$$A W_d = \frac{103,879}{778}$$

$$= 133.52 \text{ H.U.}$$

$$W_a + W_b = 195137 + 566325$$

$$= 761462 \text{ ft. lbs.}$$

$$W_c + W_d = 196110 + 103879$$

$$= 299989 \text{ ft. lbs.}$$

$$W = (W_a + W_b) - (W_c + W_d)$$

$$= 761462 - 299989$$

$$= 461473 \text{ ft. lbs.}$$

$$A W = \frac{461473}{778}$$

$$= 593.2 \text{ H.U.}$$

The heat supplied to the engine  
per 100 strokes is

$$M (g_{100.5} + x r_{100.5})$$





$$\begin{aligned}
 Q &= 9.337 (302.65 + .9903 \times 880.6) \\
 &= 9.337 \times 1174.71 \\
 &= 10968 \text{ H.U.}
 \end{aligned}$$

The number of lbs. of steam used on the head end per 100 strokes = 9.337

The mean temperature of the condensed steam =  $121.3^{\circ} \text{F}$

$$\begin{aligned}
 \therefore \text{Heat in condensed steam} &= M g_{121.3} \\
 &= 9.337 \times 89.4 \\
 &= 779.2 \text{ H.U.}
 \end{aligned}$$

The weight of condensate water by weir measurement.

$$\text{Mean breadth} = 7.344''$$

$$\text{head} = 1.853$$

$$\begin{aligned}
 Q_w &= \frac{2}{3} C \sqrt{2g} b H^{3/2} \\
 &= .666 \times .604 \times 8.01 \times \frac{7.344}{12} \times \left( \frac{1.853}{12} \right)^{3/2} \\
 &= .11977 \text{ cu ft per sec.}
 \end{aligned}$$



$$Q_w = .11977 \times 60 \times 60$$

$$= 431.17 \text{ cu ft per hr.}$$

Mean temperature of the ejected water  
was  $115^\circ \text{F}$

Weight of 1 cu. ft. at  $115^\circ = 61.79 \text{ lbs.}$

$$\therefore \text{lbs of water per hr} = 431.17 \times 61.79$$

$$= 26642 \text{ lbs.}$$

Now the number of revolutions made  
in one hour = 3534

$$\therefore \text{Conds H}_2\text{O per 100 rev} = \frac{26642}{3534}$$

$$= 753.9 \text{ lbs.}$$

Heat given to condensing water

$$w (g_{115} - g_{90.9}) = 753.9 (83.0 - 58.93)$$

$$= 18146.4 \text{ H.U.}$$

This is for both ends for

$$\text{Rad end} = 18146.4 \times .4765 = 8645 \text{ H.U.}$$



The quantity of heat at different points in the cycle are

In clearance

$$\begin{aligned} H_0 &= (M_0 + M_0') (q_{106.5} + p_{106.5}) \\ &= 100 (.0106 + .0067) (302.65 + 799.1) \\ &= 1906 \text{ H.U.} \end{aligned}$$

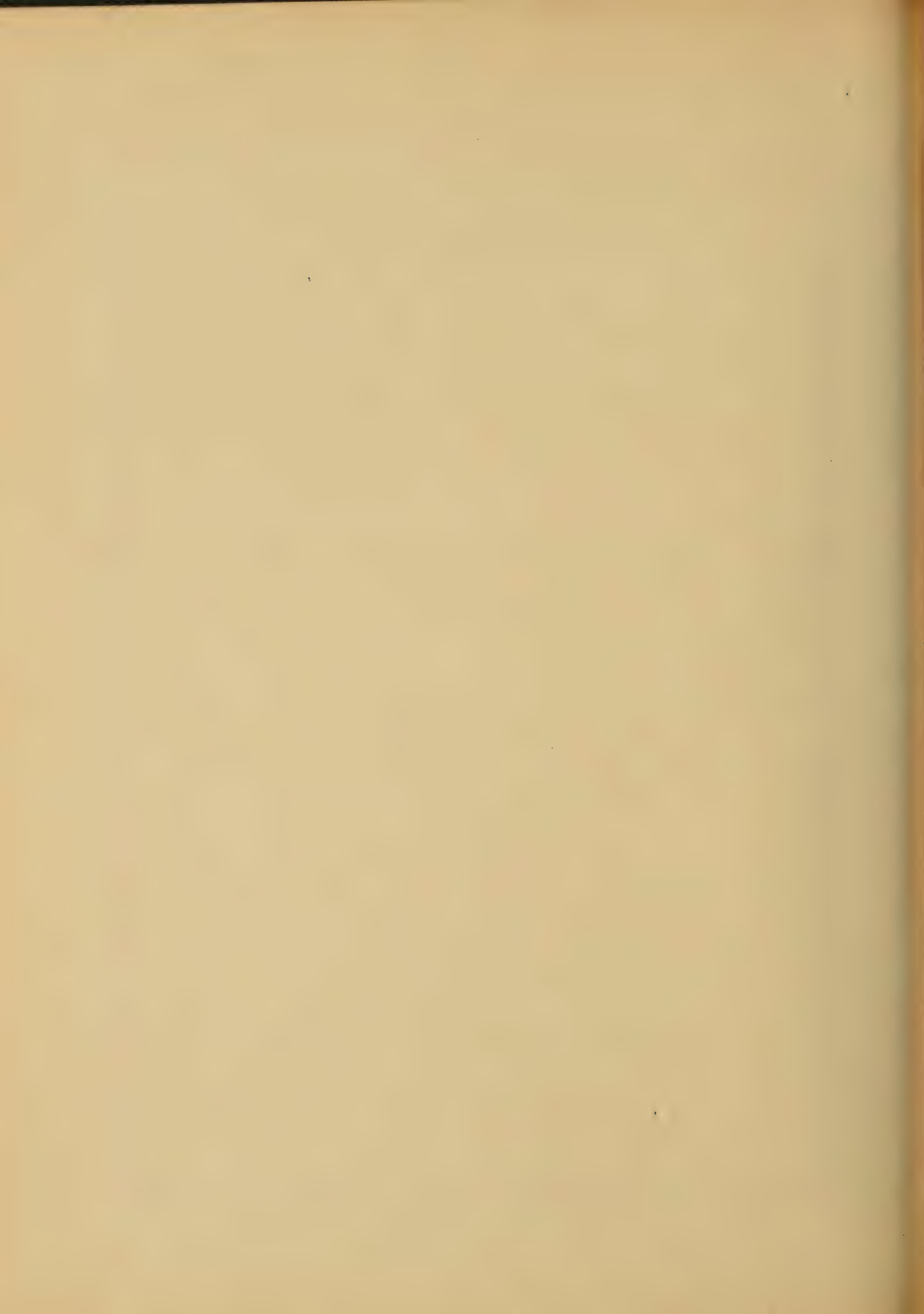
at beginning of expansion. The  $M$  includes the steam leaked in during compression.

$$\begin{aligned} H_1 &= 100 (M_0 + M) (q_{106.5} + x_1 p_{106.5}) \\ &= 100 (.0106 + .09337) (302.65 + .501 \times 799.1) \\ &= 7310 \text{ H.U.} \end{aligned}$$

at release

$$\begin{aligned} H_2 &= 100 (M_0 + M) (q_{24} + x_2 p_{24}) \\ &= 100 (.0106 + .09337) (206.8 + .761 \times 873.2) \\ &= 9058.8 \text{ H.U.} \end{aligned}$$





at the beginning of compression

$$\begin{aligned} H_3 &= M_0 (g_{14.77} + p_{14.77}) \\ &= 100 \times 0.0106 (181.0 + 893.3) \\ &= 1138.7 \text{ H.U.} \end{aligned}$$

The heat admitted during admission is

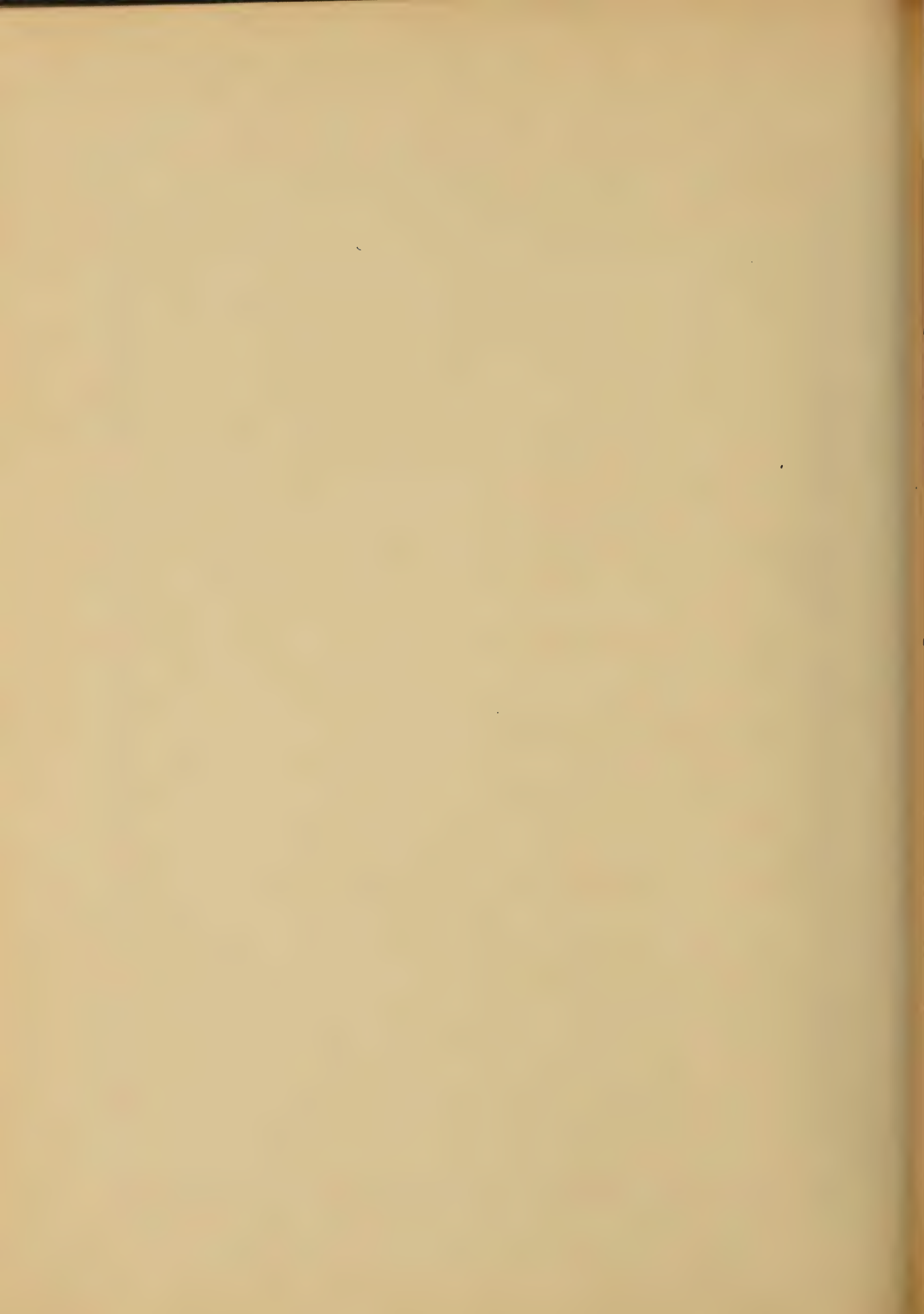
$$\begin{aligned} Q_1 &= (M - M_0') (g_{106.5} + p_{106.5}) \\ &= (9.337 - 1.06) (302.65 + 9903 \times 880.6) \\ &= 10181 \text{ H.U.} \end{aligned}$$

Transfer of heat  
during admission

$$\begin{aligned} Q_a &= Q_1 + H_0 - H_1 - A W_a \\ &= 10181 + 1906 - 7310 - 250.8 \\ &= 4526.2 \text{ H.U.} \end{aligned}$$

during expansion

$$\begin{aligned} Q_b &= H_1 - H_2 - A W_b \\ &= 7310 - 9058.8 - 727.9 \\ &= -2476.7 \text{ H.U.} \end{aligned}$$



during exhaustive

$$\begin{aligned}
 Q_c &= H_2 - H_3 - M g_c - w(g_c - g_i) + A V V_c \\
 &= 9058.8 - 1138.7 - 779.2 - 8645 + 252.1 \\
 &= 9310.9 - 10562.9 \\
 &= -1252.0 \text{ H.U.}
 \end{aligned}$$

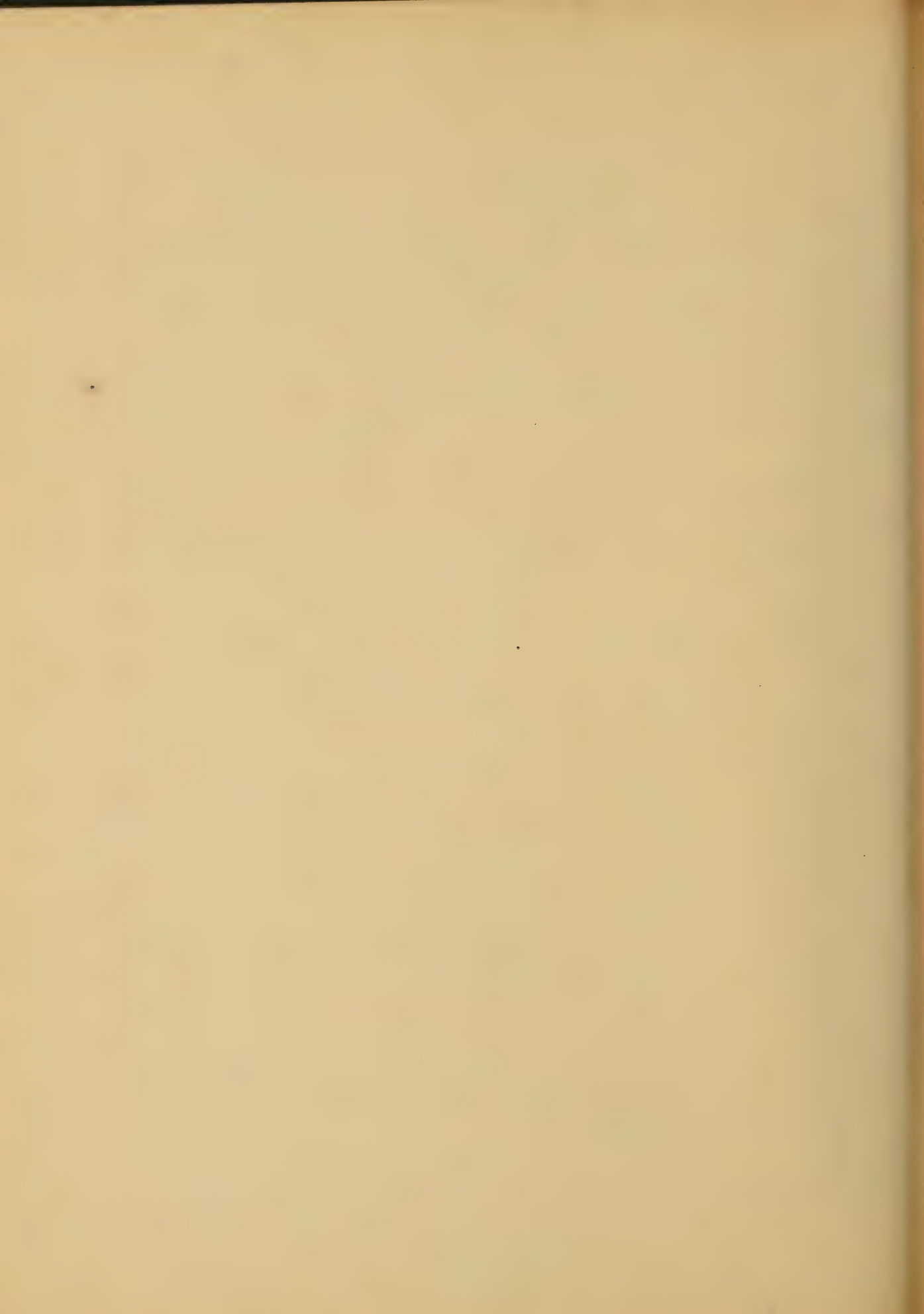
during compression

$$\begin{aligned}
 Q_d &= M_0(g_{14.77} + p_{14.77}) + M'_0(g_{100.5} + x r_{100.5}) + A W_d \\
 &\quad - (M_0 + M'_0)(g_{100.5} + p_{100.5}) \\
 &= 100 \times 0.106(181.0 + 873.3) + 100 \times 0.0067(302.65 + \\
 &\quad .9903 \times 880.6) + 133.52 - .0173(302.65 + 799.1) / 100 \\
 &= 153.38 \text{ H.U.}
 \end{aligned}$$

Loss by radiation

$$\begin{aligned}
 D' &= Q_a + Q_b + Q_c + Q_d \\
 &= 4526.2 - 2476.7 - 1252.1 + 153.38 \\
 &= 950.9 \text{ H.U.}
 \end{aligned}$$

The loss by radiation can also  
be written





$$\begin{aligned}
 D &= Q - M g_c - w(g_c - g_i) - A W \\
 &= 10968 - 779.2 - 8645 - 593.2 \\
 &= 10968 - 10017.4 \\
 &= 950.6 \text{ H.L.}
 \end{aligned}$$

### Percentages of Losses.

During admission

$$\begin{aligned}
 L_a &= \frac{Q_a}{Q} = \frac{4526.2}{10968} \\
 &= .4127
 \end{aligned}$$

During expansion (restored)

$$\begin{aligned}
 L_b &= \frac{Q_b}{Q} = \frac{2476.7}{10968} \\
 &= .2258
 \end{aligned}$$

During exhaust

$$\begin{aligned}
 L_c &= \frac{Q_c}{Q} = \frac{1257}{10968} \\
 &= .1141
 \end{aligned}$$



During compression

$$L_d = \frac{Q_d}{Q} = \frac{153.38}{10968}$$
$$= .1399$$

Ratio of utilized work to total heat

$$R_1 = \frac{AW}{Q} = \frac{593.2}{10968}$$
$$= .0542$$

Percent lost by radiation

$$R_2 = \frac{D}{Q} = \frac{950.7}{10968}$$
$$= .08668$$

Percent radiation of work

$$R_3 = \frac{D}{AW} = \frac{950.7}{593.2}$$
$$= 1.603$$



Ratio of cylinder condensation to work

$$T_4 = \frac{Q_a}{AV} = \frac{4526.2}{593.2}$$

$$= 7.64$$

Carnots Efficiency

$$E = \frac{T_{100.5} - T_{14.77}}{T_{100.5}} = \frac{332.18 - 212.23}{332.18 + 460.7}$$

$$= \frac{119.95}{792.88} = .1513$$

Type Efficiency.

$$E' = \frac{R_1}{E} = \frac{.0542}{.1513}$$

$$= .358$$





## Horse Powers.

Head:-

$$HP = \frac{PLAN}{33000} = \frac{2.370 \times 40 \times 81.04 \times 3534 \times 2}{3.339 \times 33000 \times 60}$$

$$= 8.214$$

Crank:-

$$HP = \frac{2.758 \times 40 \times 2 \times 77.9 \times 3534}{3.304 \times 33000 \times 60}$$

$$= 9.285$$

$$\text{Total HP} = 8.214 + 9.285$$

$$= 17.499$$

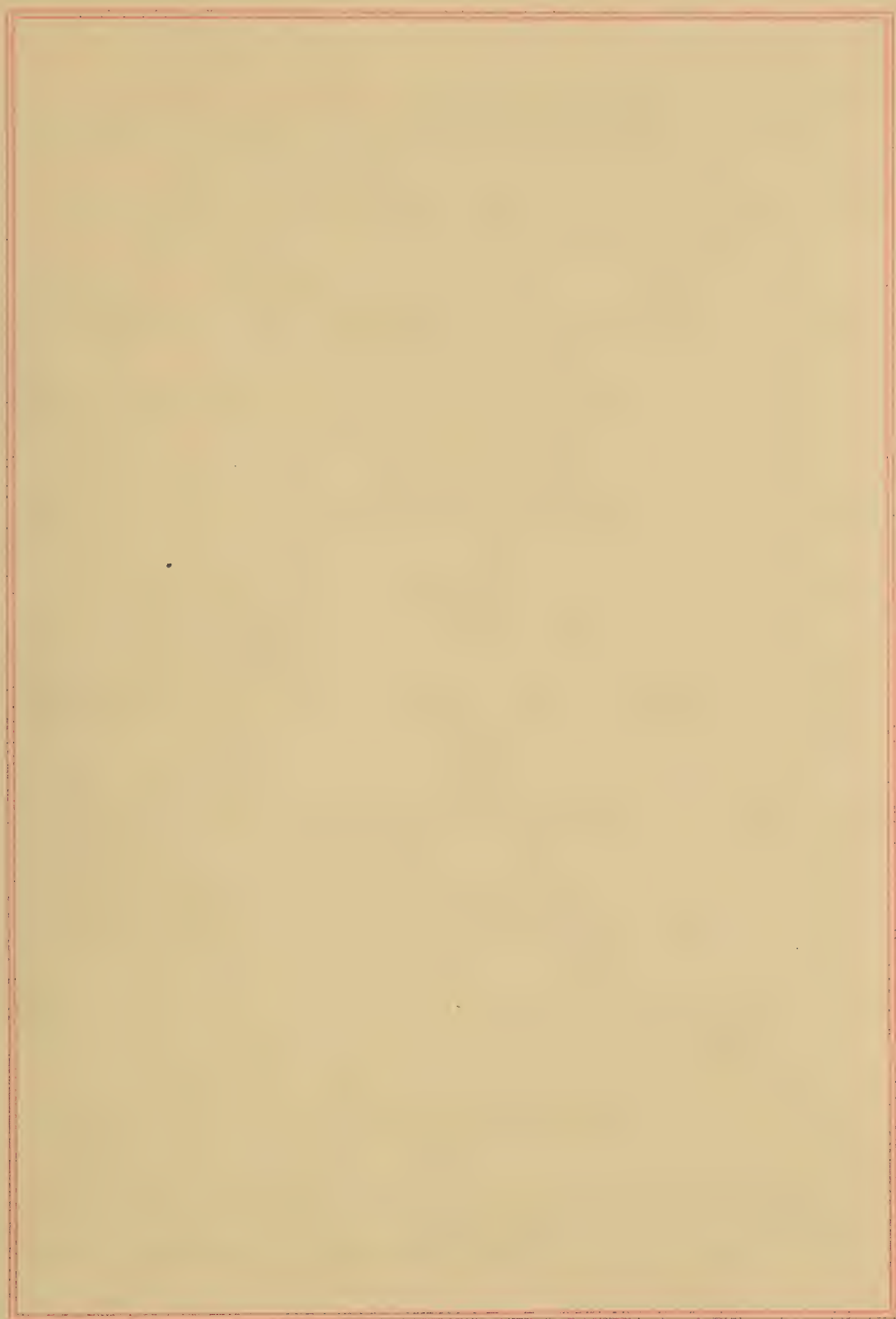
Steam per HP. hour

$$= \frac{692.5}{17.499} = 39.57 \text{ lbs.}$$













## Entropy - Temperature. Analysis.

From the data already derived, it is known that the steam used during an engine cycle consists of two portions; 1st, the clearance or "cushion" steam which is present in the cylinder during ~~during~~ every part of the stroke, and 2<sup>nd</sup>, the feed or supply steam, which while entering, and later during expansion, does work, and is then discharged, still having a large amount of heat in it.

In Rankine's analysis the determinations were for 100 revolutions, in this analysis they are for one pound of steam or per pound of cylinder



feed.

The weight of steam per stroke on head end = .09337 lbs.

The reciprocal of this is the number of revolutions per lb. of steam  
or  $\frac{1}{.09337} = 10.71$

The volume of piston displacement for one pound of steam is

$$\text{Head} = 10.71 \times 1.118 = 11.974 \text{ cu. ft.}$$

The weight of cushion steam, head end, for one pound of feed is

$$\begin{aligned} \text{Ht. of clearance steam} \times \text{no. of rev. per lb. feed} &= .0106 \times 10.71 \\ &= .1135 \text{ lbs.} \end{aligned}$$

The clearance volume for one pound of feed steam

$$\begin{aligned} \text{Head} &= .0718 \times 10.71 \\ &= .7690 \text{ cu. ft.} \end{aligned}$$



4  
Turning to the blue print made from the diagram accompanying Reeve's pamphlet it is found to be divided into four quadrants by four rectangular axes of coördinates.

The right hand horizontal one measures volume, the lower vertical one pressure, the left hand horizontal temperature and the upper vertical entropy.

In the lower left hand quadrant are a number of adiabatic curves for different weights of clearance steam. They are developed from saturation points of steam at 41.6 pounds absolute pressure, which is the pressure at which 1 lb. of steam dry and saturated occupies 10 cu. ft.

As these curves fall below 41.6





lbs. pressure, partial condensation occurs and the amount in per cent is noted at the extreme left.

Now the clearance steam was measured at 14.77 lbs. absolute, and the per. cent corresponding to it is 94% so weight is

$$\frac{.1135}{.94} = .1206 \text{ lbs.}$$

A curve is now drawn in between the .10 and .15 lb curves corresponding to .1206 lbs.

This curve will be the actual path up and down which the clearance steam expands and compresses adiabatically.

The clearance volume for one lb. of feed steam is

$$\text{head} = .769 \text{ cu.}$$

This value laid off to scale hori-



gontally to the right from the above curve, will give the zero curve of piston displacement, and from it the abscissa of the indicator cards must be measured.

The abscissa of the mean card for different pressures are now taken, and after being multiplied by the volume scale laid off to the right.

$$\text{Length of mean card} = 3.339''$$

$$\text{Piston displacement for 1 lb of steam} = 11.974$$

$$\therefore 3.339'' = 11.974 \text{ cu'}$$

$$\text{Scale} = 1'' = 3.587 \text{ cu'}$$

From the abscissa now laid off erect the corresponding pressures and through the points found draw the card.

Now that the card is drawn the entropy temperature diagram can



be found from it and the method of making the transfer is shown on the blue print for the two points u and v, other points being found in exactly the same way.

The area DAJN in the entropy temperature quadrant represents the card from the theoretical engine.

The actual card from this engine is BFKLMGC. The point of cut off is B and as  $\overline{BC}$  is vertical there is no wire drawing.

If after cut off the steam expanded adiabatically to the condenser temperature I would trace the diagram DBON instead of DAJN. The area BAJO is loss due to initial condensation.

Condensation during expansion is





represented by BQPO

The steam instead of expanding adiabatically deviated to the point K. This gain in entropy is due to heat coming from the cylinder walls and is called the gain of re evaporation and is QPRK.

The loss of incomplete expansion is represented by KRPL.

Loss from clearance is SDCM.

Loss from back pressure LPNS.

The above areas are now found in sq. inches, and if the blue print was the same as the original diagram, the areas in inches multiplied by 4421.88 would give results in foot pounds of work.

The blue print has however shrunk a little and the amount is found by



getting the area of a certain figure  
on the original print, and then  
finding the area of the same figure  
on the blue print.

Area of original, mean = 7.956

" " blue print, " = 7.951

Therefore multiply the areas by

$$\frac{7.956}{7.951} = 1.0005$$



READINGS

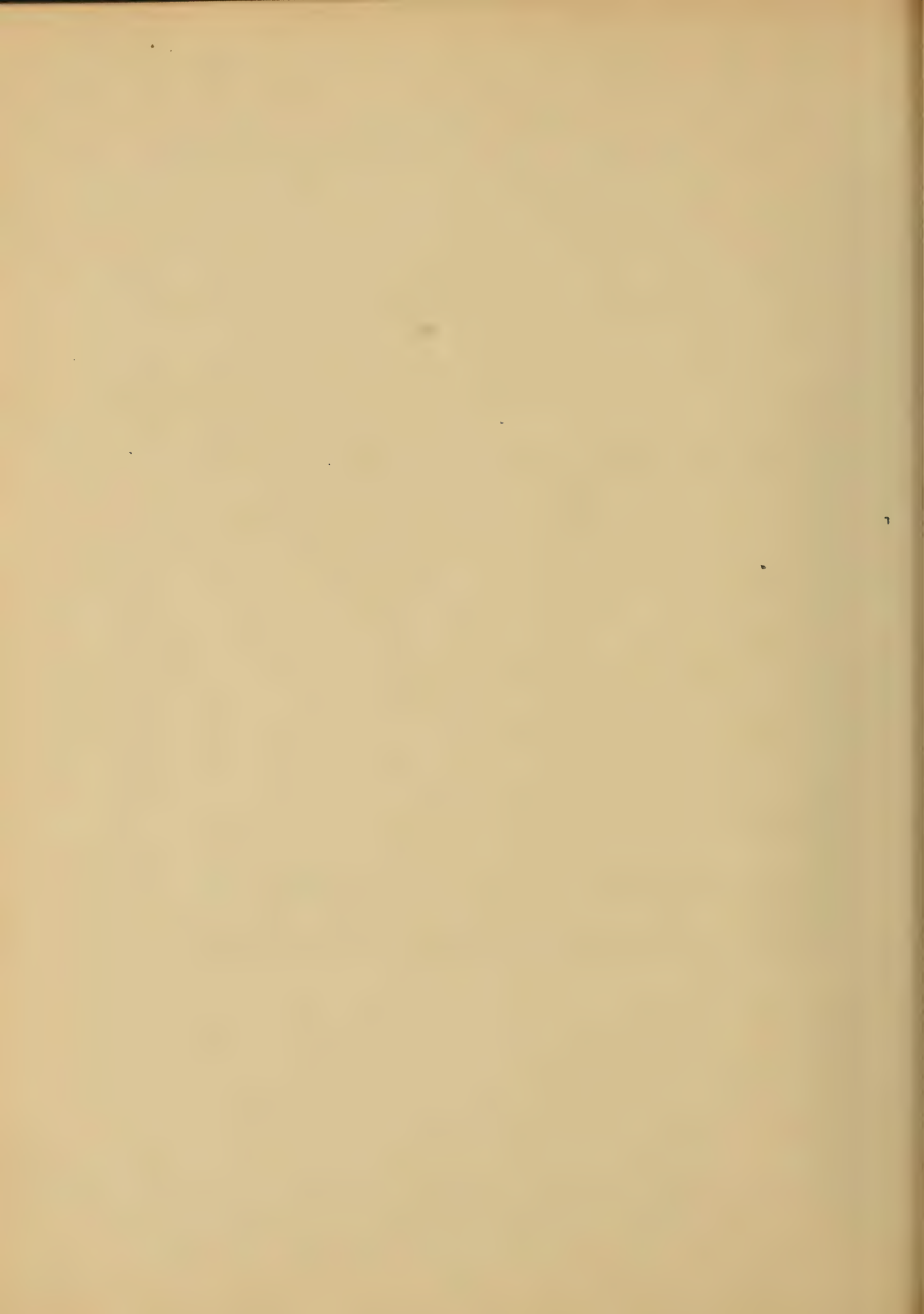




## C A L O R I M E T E R

TIME	STEAM PRESSURE	UPPER THERM. $T_1$	LOWER THERM. $T_2$	BAROM. -	MERCURY GAUGE R	L
2.45	94	330	284	29.97"	9.35	4.55
2.52	94	329	286		9.35	4.55
3.02	96	331	287		9.45	4.50
3.11	93	329	286		9.30	4.60
3.20	93	329	286		9.35	4.55
3.28	95	331	287		9.45	4.55
3.39	95	330	287		9.45	4.55
3.49	93	330	286	29.97	9.35	4.60
64	94.1	329.9	286.1	29.97	9.38	4.56

MEANS



# C A L O R I M E T E R

V			W		
TIME	WEIGHT EMPTY	WEIGHT FULL	TIME AT MARK	WEIGHT EMPTY	WEIGHT FULL
2.42	2-14				
2.58	3-13	19-4			
3.15	2-14	22-9	3.03	0-7.5	0-14
3.33	3-14	22-12			
3.47	2-14	18-15			
4.02		20-0	4.04	0-8.5	0-11
	16-5	103-8		0-16	0-25
80		87-3	01		0-9



TIME	REVOLUTIONS	BRAKE
2.45	25786	570
2.52	26195	502
3.02	26789	502
3.11	27315	501
3.20	27845	500
3.28	28316	500
3.39	28966	500
3.49	29555	500
64	3769	501.9





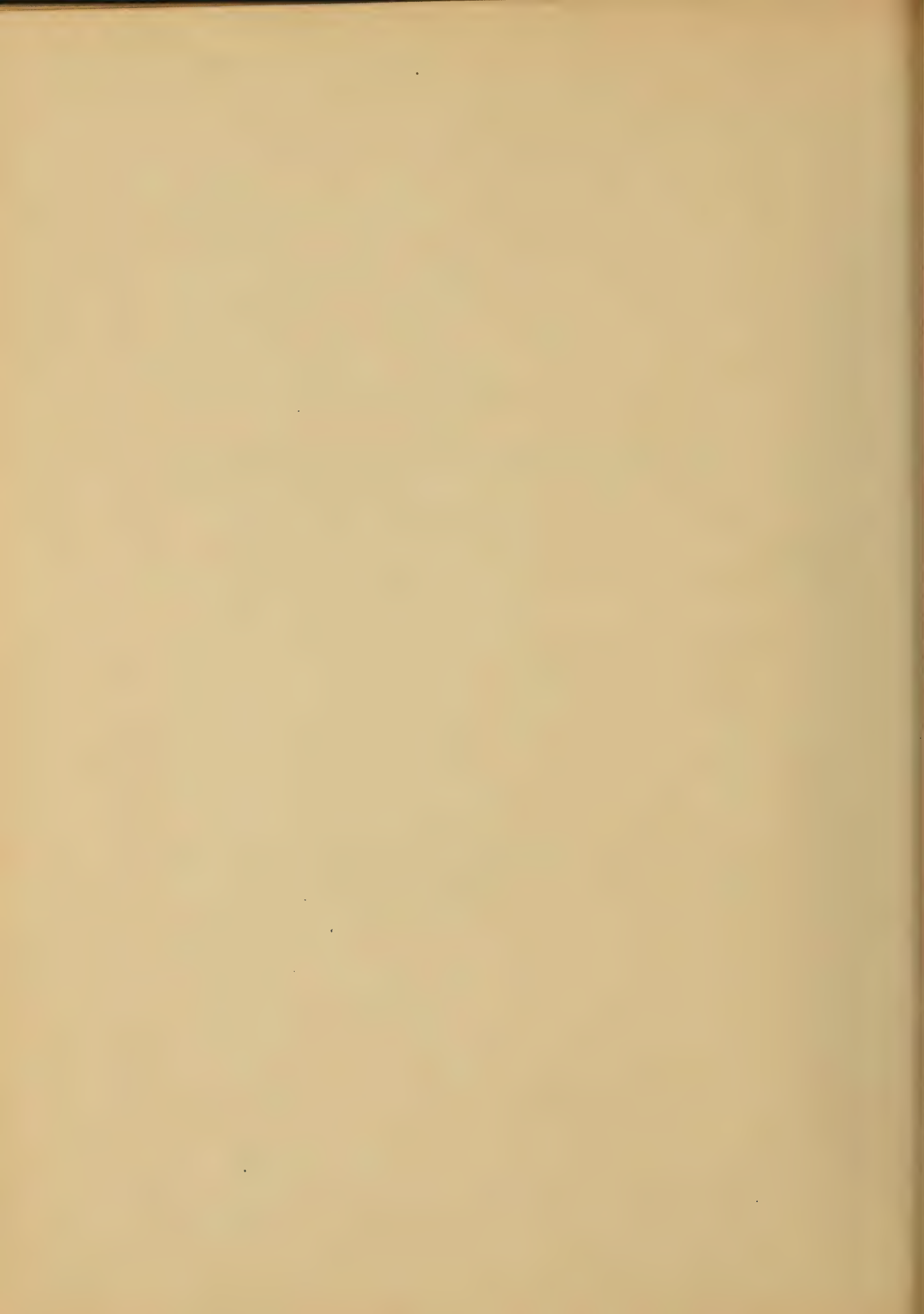
# CONDENSED STEAM.

WEIGHT EMPTY	TIME	WEIGHT FULL	TIME	TEMP.
408	2.46	484	2.47	118
		597	3.03	120
		658	3.08	121
179	3.12	289	3.21	122
		378	3.29	122
		507	3.40	123
		610	3.49	123
	WEIGHT	681	59	121.3



# CONDENSING WATER

TIME	HOCK GAUGE	ZERO OF GAUGE	TEMP. INJECTION	TEMP. EJECTION
2.47	9.97	11.825	87°	110
3.03	9.97		87	112
3.08	9.98		89	114
3.21	9.98		91	115
3.29	9.95		92	116
3.40	9.98		94	118
3.49	9.98	HEAD	96	120
	9.972	1.853	90.9	115



CALIBRATION OF  
GAUGE No. 260627

ACTUAL	GAUGE UP	GAUGE DOWN	MEAN
10	12.0	12.0	12.0
20	21.0	21.6	21.30
30	31.3	32.0	31.65
40	40.6	41.5	41.05
50	50.5	51.0	50.75
60	60.5	61.2	60.85
70	69.7	70.5	70.10
80	79.9	80.5	80.20
90	89.6	90.2	89.90
100	100.0	100.0	100.0





CARD ORDINATES

A  
L

ACTUAL PRES.

SCALE 2076s = 1"



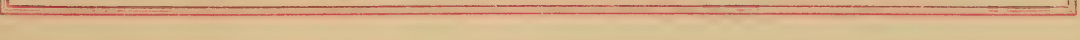
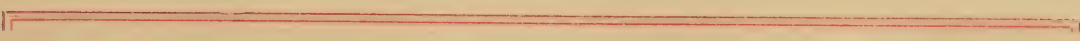
CARD ORDINATES

1100A

ACTUAL PRES.

SCALE 2016s. = 1"



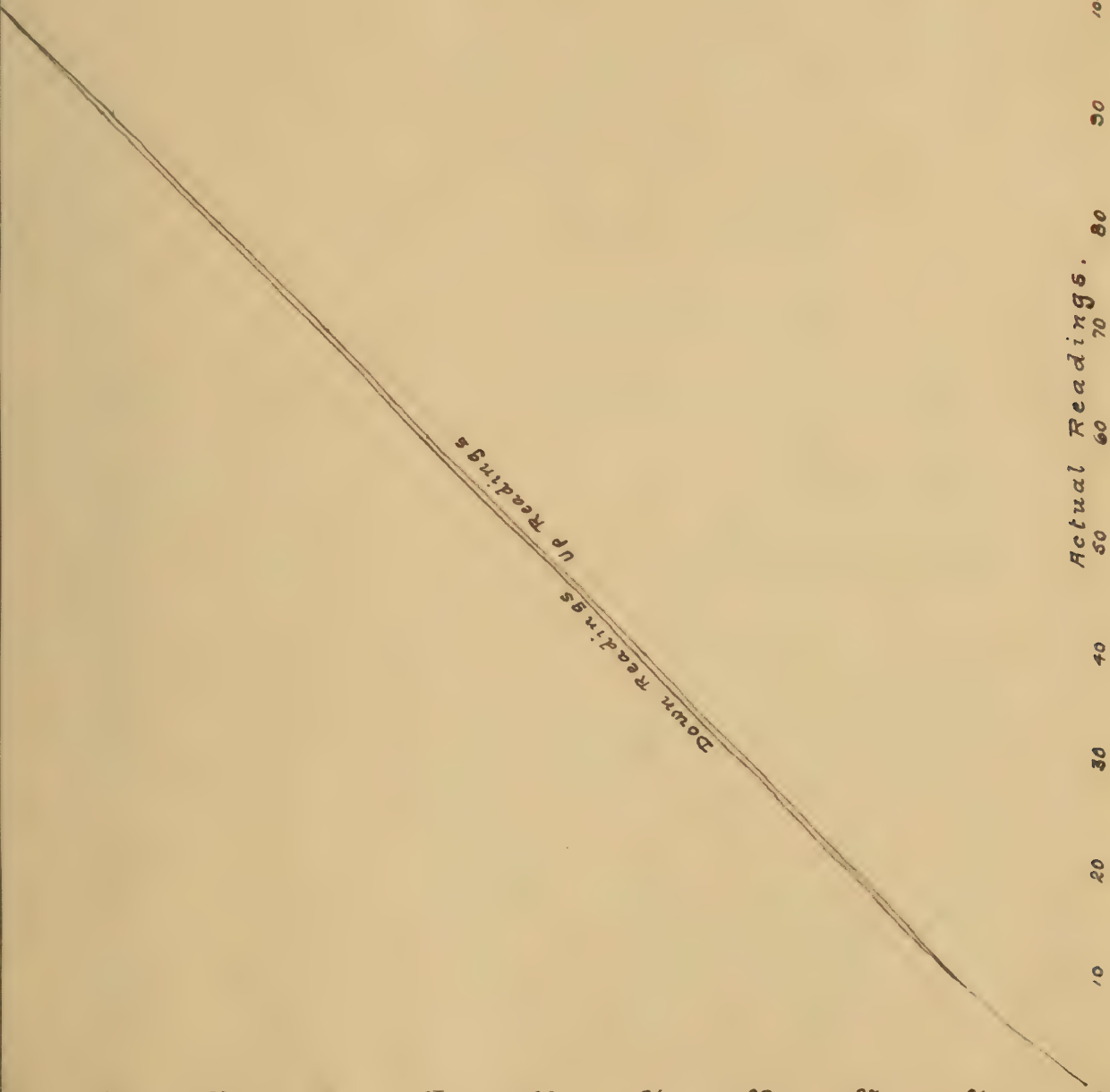


Gauge Readings.

0 10 20 30 40 50 60 70 80 90

Actual Readings. 10 20 30 40 50 60 70 80 90 100

Down Readings  
Up Readings





59

CARD LENGTHS, HEAD END.

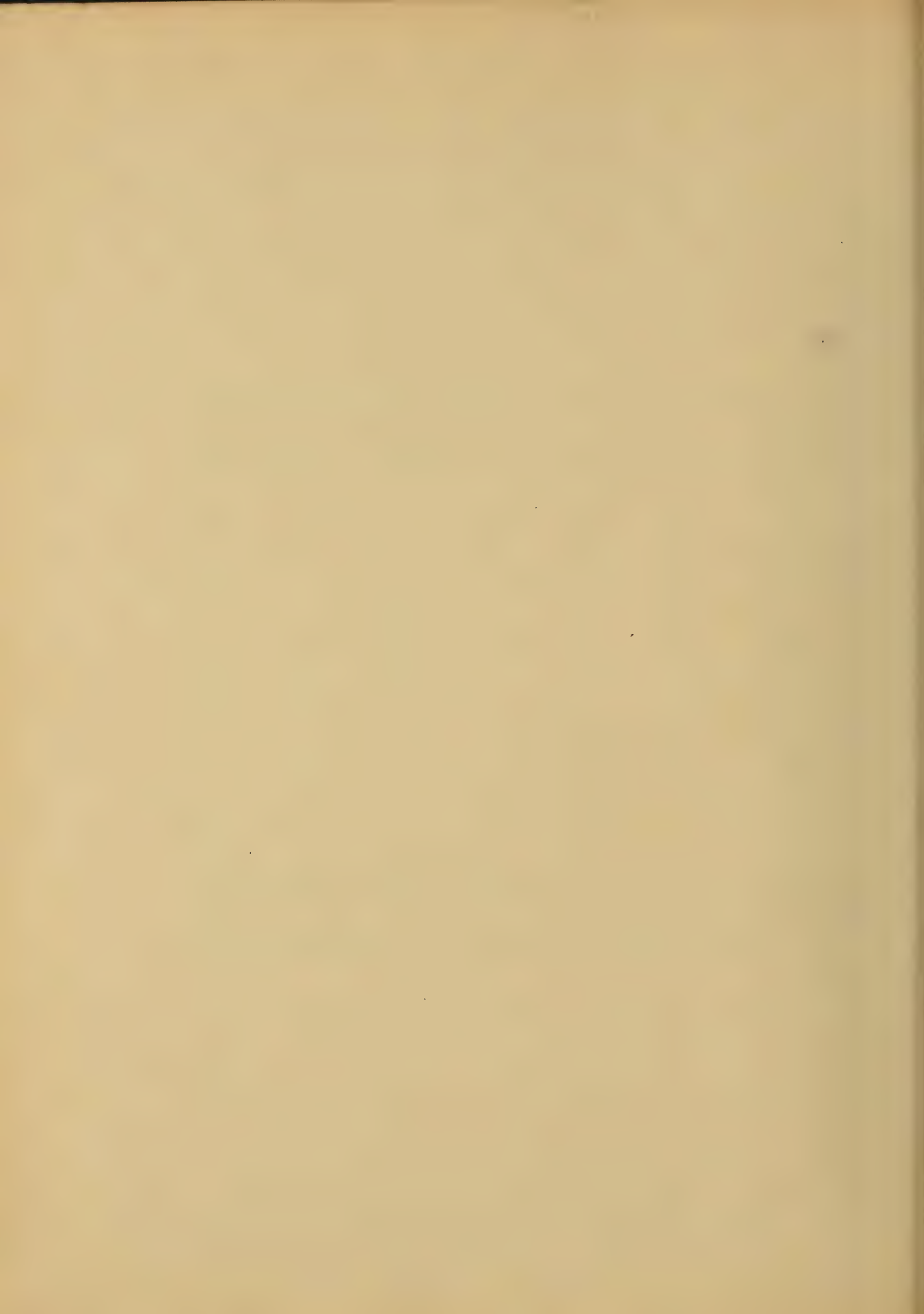
CARD	ADMISSION	EXPAN.	EXHAUST	COMP.	TOTAL
1	0.43	2.90	2.64	0.69	3.33
3	0.43	2.91	2.68	0.66	3.34
5	0.36	2.98	2.72	0.62	3.34
7	0.43	2.92	2.72	0.63	3.35
9	0.31	3.03	2.66	0.68	3.34
11	0.43	2.90	2.69	0.64	3.33
13	0.33	3.02	2.73	0.62	3.35
15	0.36	2.97	2.73	0.60	3.33
17	0.23	3.11	2.72	0.62	3.34
MEANS	0.368	2.971	2.699	0.640	3.339





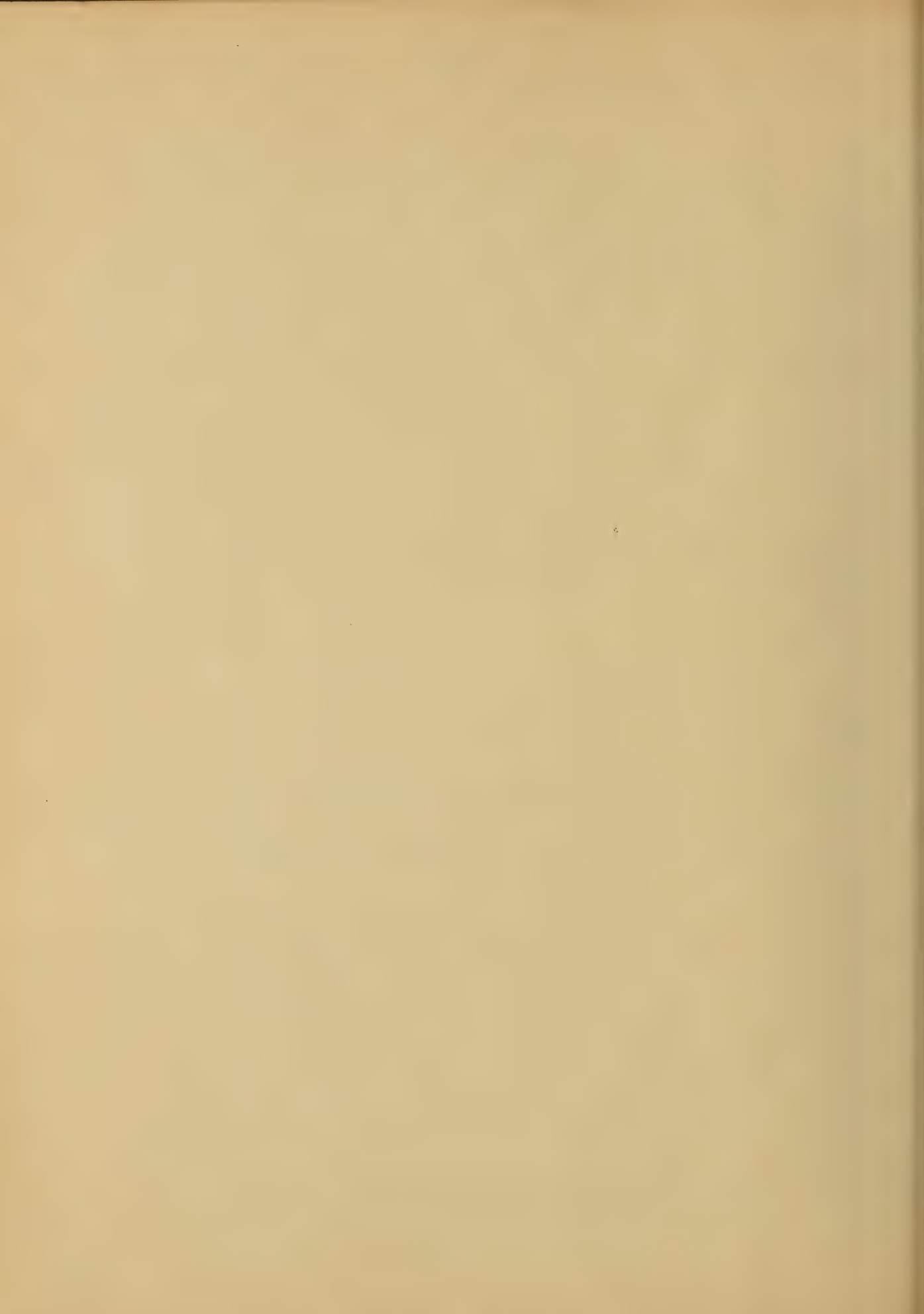
CARD LENGTHS, CRANK END.

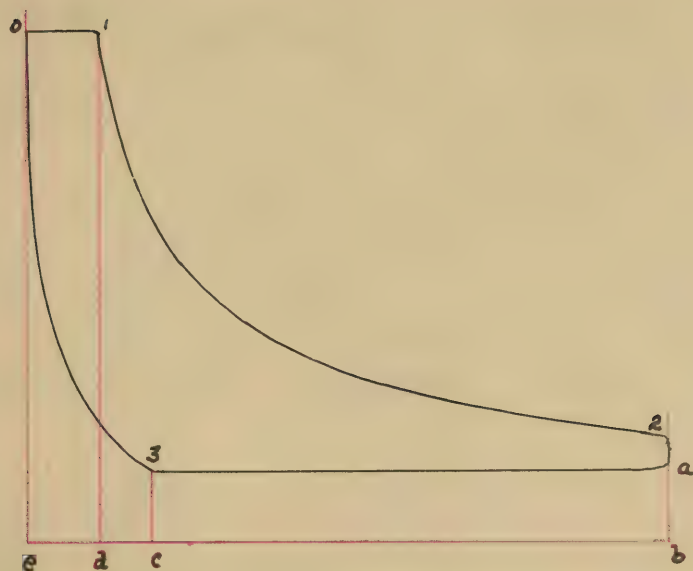
CARD	ADMIS.	EXPAN.	EXHAUST	COMP.	TOTAL
2	0.48	2.83	2.66	0.65	3.31
4	0.49	2.81	2.71	0.59	3.30
6	0.47	2.82	2.71	0.58	3.29
8	0.52	2.70	2.72	0.60	3.32
10	0.43	2.86	2.73	0.56	3.29
12	0.45	2.85	2.72	0.58	3.30
14	0.34	2.99	2.79	0.54	3.33
16	0.48	2.83	2.72	0.59	3.31
18	0.35	2.94	2.72	0.57	3.29
MEANS	0.446	2.846	2.720	0.584	3.304



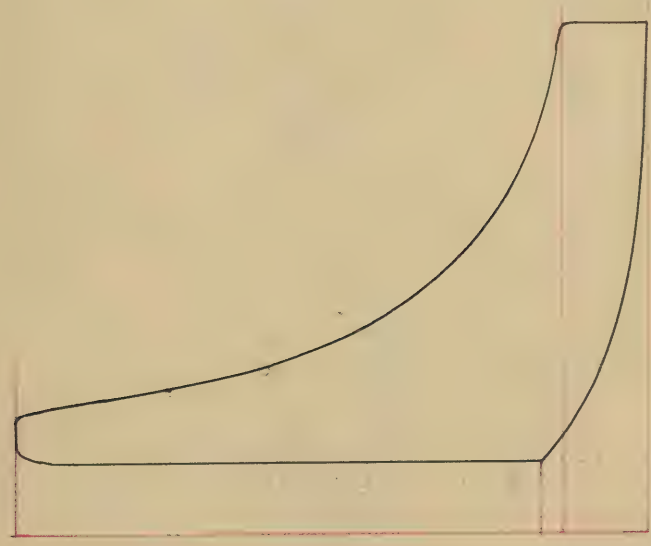
AREAS OF MEAN CARD.

ADTMS.	EXPAN.	EXHAU.	COMP.	TOTAL
1.00	2.93	1.01	.53	
.99	2.91	1.00	.54	
1.02	2.90	1.03	.55	
.99	2.90	1.01	.52	
1.03	2.91	1.00	.53	
1.005	2.91	1.01	.535	2.370





MEAN CARD FROM HEAD



MEAN CARD FROM CRANK





AREAS OF  
ENTROPY TEMPERATURE DIAGRAM.

DAJN	BFKLMGC	BAJO	BQPO	QPRK	KRPL	SDCM	LPNS
24.71	10.64	14.52	0.58	2.45	0.48	0.75	0.14
24.59	10.70	14.56	0.53	2.57	0.46	0.73	0.14
24.64	10.74	14.54	0.59	2.48	0.48	0.73	0.17
24.64	10.67	14.62	0.54	2.44	0.53	0.74	0.13
24.72	10.73	14.52	0.53	2.45	0.50	0.76	0.12
24.660	10.696	14.552	0.554	2.466	0.490	0.742	0.150









# ENTROPY-TEMPERATURE DIAGRAM BLANK FOR STEAM ENGINES.

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ENTROPY-TEMPERATURE DIAGRAM BLANK FOR STEAM ENGINES.

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DIAGRAM

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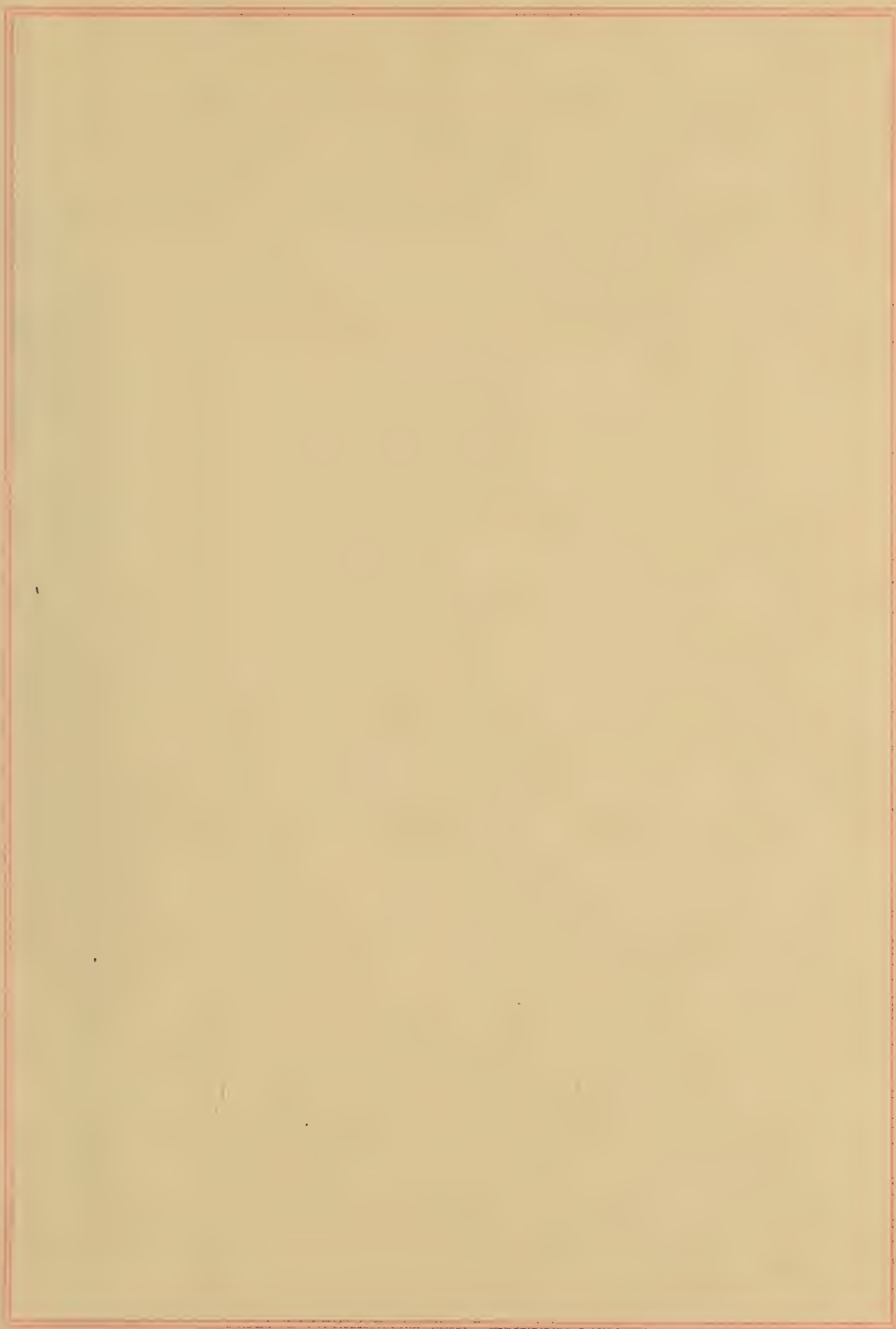
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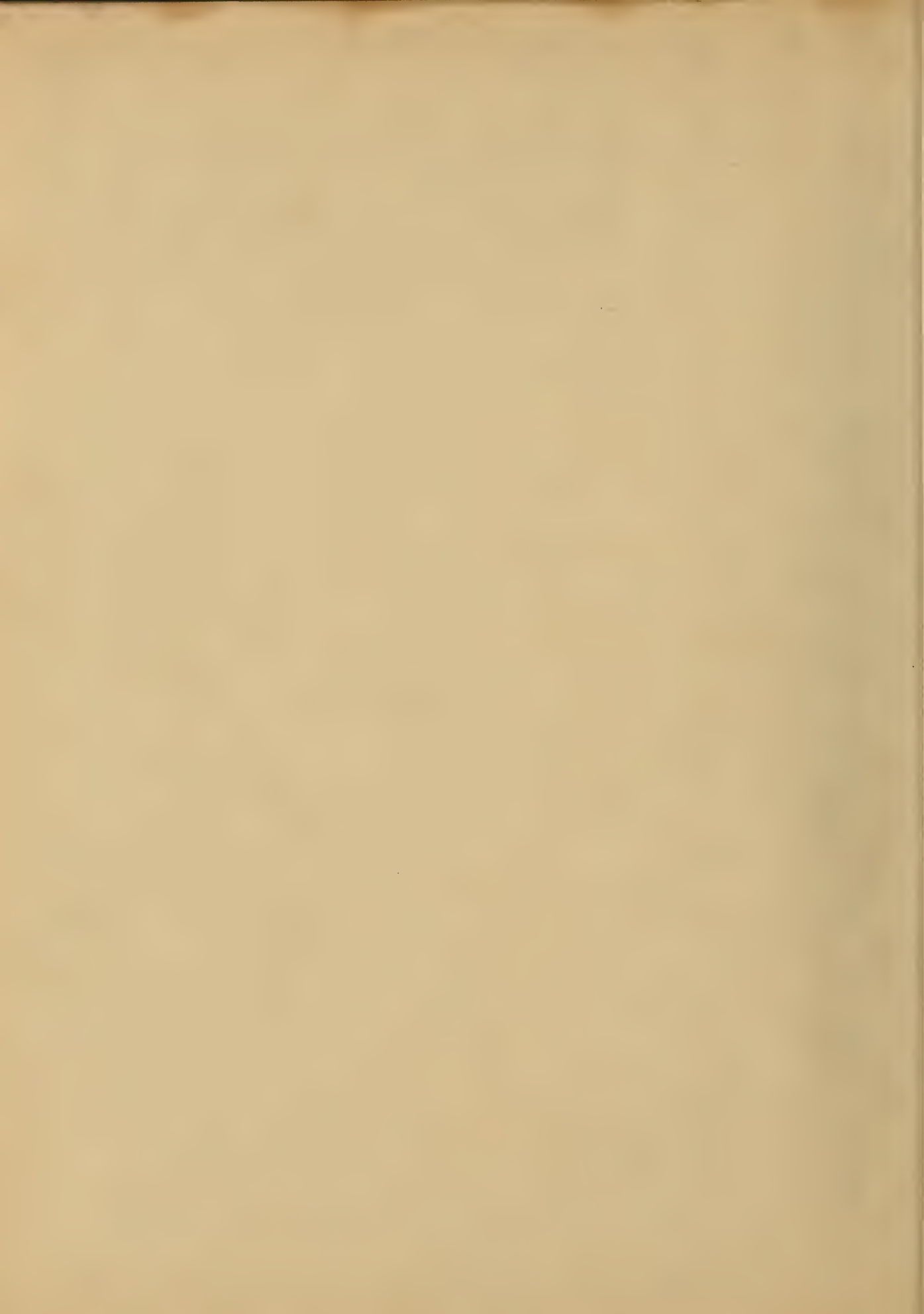






















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